Instructor's Manual and Solutions Manual

to accompany

Thermodynamics and Heat Power

Sixth Edition

Kurt C. Rolle



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This manual is intended to be an aid in using and studying from the textbook, *Thermodynamics* and *Heat Power*, *Sixth Edition*, by Kurt C. Rolle. There are included solutions to the practice problems at the end of each chapter and some brief suggested answers to the discussion questions. In addition, there are eleven suggested lesson plans for various courses and I am including an example syllabus of a course which I have offered in engineering from time to time.

The approaches to solving thermodynamic problems are often subject to various interpretations and assumptions, so more than one correct method may be used for the same problem. The methodology and solutions set down in this manual often include some discussion about the assumptions or observations that can help to clarify the methods. Calculations are shown in as complete a manner as possible and answers are indicated with an underline. Many of the problem solutions are quite lengthy and then some details are omitted. In those cases it is usual that other previous problem solutions demonstrate the same sort of detailed calculations. Also, some of the problems were solved using the computer with the software package of programs mentioned in the textbook and listed in the appendix A. In those instances, the solution set down in this manual often includes only the program inputs and the resulting outputs. Numerical answers are given to at least three significant figures or, in the case of irrational numerical answers, a series of dots (...) indicate that the answer has been left in an incomplete form. For example the value of pi, π , may be expressed as 3.14159... and the value for 1/3 as 0.333.... Since many problems are long, with extended calculations, round-off discrepancies will occur and this can give slightly different answers to the same problem. The emphasis has been placed on giving methods and solutions that the students and readers can closely match and be satisfied with their methodology for solving the practice problems.

When giving the solutions to a large number of problems, particularly when there is such a wide variety of problems and a dual system of units (SI and English) to consider, there will be errors and discrepancies. The author and publisher appreciate all of the comments and suggestions made by those readers of the past editions and we solicit your input regarding any corrections or suggested revisions to this edition as well.

Finally, I want to thank all of the users of the earlier editions of this textbook and manual. In many ways you contributed to developing a more accurate and clear publication. I appreciate the work done by Dan Mueller in preparing the programs in a windows format and Hans Jensen for doing some editorial work on those programs. James Wiese and Andrew Cravens helped in facilitating the preparation of the CD as well. I also want to thank Debbie Yarnell and Jon Tenthoff at Prentice-Hall who provided the environment for creating this sixth edition. Again, I hope that you find this manual useful and complimentary to the textbook.

Kurt C. Rolle Summer, 2004

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Thermodynamics and Heat Power has been written to provide the engineering and engineering technology students with a textbook that attempts to cover the most important aspects of thermodynamics and its technological applications. The text is intended to provide enough depth in the coverage as well as a variety of topics so that it may be used in a number of special emphasis or distinct courses. It can be supplemented with a set of BASIC programs, available from the publisher on a diskette for use with a personal computer, that allows for computer aided instruction of some of the material.

The following lesson plans have been set down as suggested approaches for some specific course work. The lesson plans are written for two or three hour semester courses and include those topics and sections from the text that would be considered. There is usually enough material in the book sections to spend more time than indicated in the lesson plans. Individual experiences will give each instructor added insights into improved variations from these plans.

LESSON PLAN 1

3 Semester credits of HEAT POWER

Week	Topics	Book Sections
1	Introduction, System	Chapters 1 and 2
	Work, Power, and Heat	Sections 3.1-3.3
2 _. 3	Energy and Conservation of Mass	Sections 3.4-4.2
	Steady Flow Energy Equation	Sections 4.3-4.6
4 5	Conservation of Energy	Sections 4.7-4.9
6	Equations of State	Chapter 5
. 7	Processes	Sections 6.1-6.4
8	Carnot Cycle and Entropy	Sections 7.1-7.8
. 9	Otto Cycle	Sections 9.1-9.4
10	Diesel and Dual Cycles	Sections 9.5-9.10
11	Gas Turbines	Sections 10.1-10.5,10.9
12	Steam Turbine Power Cycles	Sections 11.1-11.6
13	Analysis of Rankine Cycles	Sections 11.7-11.11
14	Refrigeration Cycles	Sections 12.1-12.3
15	Mixtures and Psychometrics	Sections 13.1-13.4
16	Combustion Analysis	Sections 14.1-14.5

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LESSON PLAN 2

2 Semester Credits of HEAT POWER

Week	Topics	Book Sections
1	Introduction	Chapter 1
2	System	Chapter 2
3	Work and power	Sections 3.1-3.2
4	Heat, energy, and	Sections 3.3-3.7
	conservation of mass	and 4.1-4.2
5	Conservation of energy	Sections 4.3-4.5.4.8
6	Equations of state, Perfect gas	Sections 5.1-5.3
7	Properties of pure substance	Sections 5.4-5.6
8	Processes of perfect gases	Sections 6.1-6.2
9	Processes of pure substances	Sections 6.6-6.7
10	Carnot cycle	Sections 7.1-7.5
11	Otto cycle	Sections 9.1-9.3
12	Diesel cycle	Sections 9.5-9.7
13	Rankine cycle	Sections 11.1-11.7
14	Refrigeration	Sections 12.1-12.3
15	Mixtures, combustion	Sections 13.1-13.2
		14.1
16	Combustion	Sections 14.2-14.5

LESSON PLAN 3

2 Semester credits of POWER PLANTS

Week	Topics	Book Sections
1	Introduction, systems	Chapters 1 and 2
2	Work, power, and heat	Chapter 3
3	Conservation and mass and energy	Chapter 4
4	Properties of pure substances	Chapter 5
5	Processes of steam, heat engines	Sections 6.6,7.1, 7.2
6	Thermal efficiency	Sections 7.3-7.6
·. 7	Isentropic processes	Sections 7.7,7.8
8	Rankine cycle components	Sections 11.1-11.5
9	Analysis of rankine cycles	Sections 11.6,11.7
10	Reheat cycle	Section 11.8
11	Regenerative cycle	Section 11.9
12	Reheat-regenerative cycles	Sections 11.10,11.11
13	Gas turbine analysis	Sections 10.1,10.2, 10.5
14	Regenerative gas turbines electric generators	Sections 10.6,10.7, 17.1
15	Combustion processes	Sections 14.1-14.3
16	Combustion analysis	Sections 14.4-14.8

2

LESSON PLAN 4

- 3 Semester credits of INTRODUCTORY THERMODYNAMICS followed by a second
- 3 semester credits of APPLIED THERMODYNAMICS.

Week	Topics	Book Sections
1	Introduction	Chapter 1
2	System and properties	Chapter 2
3	Work, power, and heat	Sections 3.1-3.3
4	Energy forms and types	Sections 3.4-3.8
5	Conservation of mass and energy	Sections 4.1-4.6
6	Steady flow energy equation	Sections 4.7-4.9
7	Equations of state	Sections 5.1-5.3
8	Calorimetry	Sections 5.4-5.6
9	Processes of perfect gases	Sections 6.1-6.2
10	Processes of liquids and solids	Sections 6.3-6.5
11	Processes of pure substances	Section 6.6
12	Heat engines and heat pumps	Sections 7.1-7.5
13	Entropy and the third law	Sections 7.6-7.9
14	Carnot cycle analysis	Sections 7.10-7.11
15	Useful work and availability	Sections 8.1-8.3
16	Free energies	Section 8.4

3 Semester credits of APPLIED THERMODYNAMICS

Week	Topics	Book Sections
1	Otto cycle analysis	Sections 9.1-9.4
2	Diesel and dual cycles	Sections 9.5-9.8
3	Brayton cycle components	Sections 10.1-10.4
4	Gas turbine, jet propulsion	Sections 10.5-10.7 10.9
5	Rankine cycle components	Sections 11.1-11.6
6	Analysis of rankine cycles	Sections 11.7-11.11
7	Vapor compression cycles	Sections 12.1-12.3
8	Air cycle, cryogenics, heat pumps	Sections 12.4, 12.6, 12.7,12.8
9	Mixture analysis	Sections 13.1-13.3
10	Processes of water-air mixtures	Sections 13.4-13.7
11	Combustion processes	Sections 14.1-14.3
12	Combustion analysis	Sections 14.4-14.8
13	Conduction, convection heat transfer	Sections 15.1-15.3
14	Radiation, heat exchangers	Sections 15.6-15.8
15	Electrical processes	Sections 17.1-17.3
16	MHD, bio-systems, Stirling cycle	Sections 17.4-17.7

LESSON PLAN 5

2 semester credits of THERMODYNAMICS followed by a second 2 semester credits of APPLIED THERMODYNAMICS

Week	Topics	Book Sections
1	Introduction	Chapter 1
2	System, pressure, density	Sections 2.1-2.9
3	Temperature, energy	Sections 2.10-2.14
4	Work, power, and heat	Sections 3.1-3.3
5	Reversibility, energy forms	Sections 3.4-3.8
6	Conservation of mass and energy	Sections 4.1,4.2,4.4
7	Steady flow energy equation	Sections 4.5-4.9
8	Equations of state	Sections 5.1-5.3
9	Properties of pure substances	Sections 5.5-5.6
10	Processes of perfect gases	Sections 6.1,6.2
11	Processes of pure substances	Sections 6.3-6.7
12	Heat engines	Sections 7.1,7.2
13	Thermal efficiency	Sections 7.3,7.4
14	Entropy	Sections 7.5,7.6
15	Isentropic processes	Sections 7.7-7.9
16	Carnot cycle analysis	Section 7.10

2 Semester credits of APPLIED THERMODYNAMICS

Week	Topics	Book Sections
1	Otto cycles	Sections 9.1-9.3
2	Diesel cycles	Sections 9.4,9.5
3	Diesel and dual cycles	Sections 9.6-9.8
4	Brayton cycle	Sections 10.1-10.4
5	Gas turbine analysis	Section 10.5
6	Rankine cycle	Sections 11.1-11.3
7	Analysis of rankine cycles	Sections 11.4-11.7
8	Reheat and regeneration	Sections 11.8-11.9
9	Reheat-regeneration cycles	Section 11.10
10	Vapor compression refrigeration	Sections 12.1-12.3
.11	Heat pumps, mixture analysis	Sections 12.7,13.1
12	Psychometrics	Sections 13.2-13.4
13	Combustion processes	Sections 14.1-14.3
14	Combustion analysis	Sections 14.4,14.5
15	Heat transfer	Sections 15.1-15.3
16	Other applications	Chapter 17

LESSON PLAN 6

2 Semester credits of HEAT TRANSFER

Week	Topics	Book Sections
1	Review of terms	Chapters 1 and 2
2	Work, power, and heat	Sections 3.1-3.3
3	Conduction heat transfer	Section 15.1
4	Conservation of mass	Sections 4.1-4.4
5	First law of thermodynamics	Sections 4.5,4.6
6	Steady flow energy equation	Sections 4.7,4.8
7	Properties of pure substances	Sections 5.3,5.5
8	Processes of fluids and solids	Sections 6.4-6.6
9	Convection heat transfer	Section 15.2
10	Fins	Section 15.3
11	Lumped heat capacity	Section 15.3
12	Forced convection	Section 15.4
13	Natural convection	Section 15.5
14	Radiation heat transfer	Section 15.6
15	Radiation analysis	Section 15.6
16	Heat Exchangers	Section 15.7

LESSON PLAN 7

3 Semester credits of HEAT TRANSFER

Week	Topics	Book Sections
1	Introduction, review of terms	Chapters 1 and 2
2	Work, heat and mass flow	Sections 3.1-3.3, 4.1,4.2
3	Conservation of energy and equations of state	Sections 4.4,4.5 5.1,5.3
4	Processes of fluids and solids	Sections 6.4-6.6
5	Conduction heat transfer	Section 15.1
6	Convection heat transfer	Section 15.2
7	Fins, lumped heat capacity	Section 15.3
. 8	Flow of fluids, pure substances	Sections 4.7,4.8, 5.5
9	Forced convection	Section 15.4
10	Natural convection	Section 15.5
11	Radiation heat transfer	Section 15.6
12	Radiation analysis	Section 15.6
13	Heat exchangers	Section 15.7
14	Psychometrics	Sections 13.1-13.4
15	Analysis of heating	Sections 16.1,16.2
16	analysis of air conditioning	Section 16.3

LESSON PLAN 8

2 Semester credits of INTERNAL COMBUSTION ENGINES

Week	Topics	Book Sections
1	Introduction, system	Chapters 1 and 2
2	Work, power, and heat	Sections 3.1-3.4
3	Conservation of mass	Sections 4.1-4.4
4	Conservation of energy	Sections 4.5,4.7, 4.8
5	Equations of state	Sections 5.1-5.3
6	Processes of perfect gases	Sections 6.1,6.2
7	Carnot heat engine	Sections 7.1-7.3,
		7.5
8	Isentropic processes	Sections 7.6-7.8
9	Carnot cycle analysis	Sections 7.10,9.1
10	Otto cycle analysis	Sections 9.2-9.4
11	Diesel and dual cycles	Sections 9.5-9.7
12	Computer aided analysis	Sections 9.8-9.10
13	Brayton cycle	Sections 10.1-10.4
14	Gas turbine analysis	Section 10.5
15	Regenerative cycles	Sections 10.6,10.7
16	Computer aided analysis of gas turbines	Section 10.9

LESSON PLAN 9

3 Semester credits of INTERNAL COMBUSTION ENGINES

Week	Topics	Book Sections
1	Introduction, system	Chapters 1 and 2
2	Work, power, and heat	Chapter 3
3	Conservation of mass and energy	Sections 4.1,4.2, 4.4,4.5,4.8
4	Equations of state	Sections 5.1-5.3
5	Processes of gases, heat engines	Sections 6.1,6.2,7.1
· 6	Carnot heat engine	Sections 7.2-7.5
7	Isentropic processes	Sections 7.6-7.8
8	Carnot cycle analysis	Sections 7.9,7.10
9	Otto cycle analysis	Sections 9.1-9.4
10	Diesel engines	Sections 9.5,9.6
11	Dual cycle analysis	Sections 9.7-9.10
12	Brayton cycle	Sections 10.1-10.3
13	Gas turbine analysis	Sections 10.4,10.5
14	Regenerative cycles	Section 10.6
15	Jet propulsion	Sections 10.7,10.9
16	Rockets, Stirling engine	Sections 10.8,17.6

LESSON PLAN 10

3 Semester credits of HEATING AND AIR CONDITIONING

Week	Topics	Book Sections
1	Introduction, system	Chapters 1 and 2
2	Work and heat	Chapter 3
3	Conservation of mass and energy	Sections 4.1,4.2,4.4
4	Steady flow energy equation	Sections 4.5-4.9
5	Property equations	Sections 5.1,5.3,5.5
6	Processes of perfect gases and pure substances	Sections 6.1,6.4,6.6
7	Heat pump analysis	Sections 7.1,7.4,7.10
8	Vapor compression refrigeration	Sections 12.1-12.3
9	Air cycle analysis	Sections 12.4,12.5
10	Cryogenics	Sections 12.6,12.7
11	Mixtures and psychometrics	Sections 13.1-13.4
12	Conduction and convection	Sections 15.1-15.3
13	Heat exchangers	Sections 15.5,15.7
14	Parameters in heating and air conditioning	Section 16.1
15	Analysis of heating	Section 16.2
16	Analysis of air conditioning,	Sections 16.3,17.6

LESSON PLAN 11

2 Semester credits of HEATING AND AIR CONDITIONING

Week	Topics	Book Sections
1	Introduction	Chapter 1
2	System and properties	Chapter 2
3	Work, power, and heat	Chapter 3
4	Conservation of mass	Sections 4.1,4.2
5	Conservation of energy	Sections 4.4,4.5,4.8
6	Equations of state	Sections 5.1-5.3
7	Pure substances	Sections 5.5,6.1
. 8	Perfect gases and incompressible	Sections 6.2,6.4
	substances	
, 9	Processes of pure substances	Sections 6.6,7.1
10	Carnot heat pump	Sections 7.2-7.4
11	Vapor compression refrigeration	Sections 12.1-12.3
12	Conduction and convection	Sections 15.1,15.2
13	Applications of heat transfer	Section 15.3
14	Parameters in heating and a/c	Section 16.1
15	Analysis of space heating	Section 16.2
16	Analysis of air conditioning	Section 16.3

Basic Thermodynamics for Engineers

Course Information

Description:

Thermodynamic systems, Properties, zeroth law of thermodynamics, conservation of mass and energy, first and second laws of thermodynamics, Ideal gases, steam, Refrigerants, Power and refrigeration cycles, Heat Transfer.

Text:

Thermodynamics and Heat Power, Fifth Edition, K.C.Rolle

Prerequisites:

Physics Mechanics, Heat light and Sound Differential and Integral Calculus

Requirements:

The student is expected to attend class, be prepared by reading the assignments for the day, and do the practice problems.

Grading:

The students semester grades will be based on examinations, homework, and bonus quizzes. There will be 4 examinations, each examination pertaining to the material covered since the last examination and each based on 100 points. The homework is due on the days indicated on the semester schedule. Each homework problem is worth 5 points maximum; that is,

- 5 points done correctly
- 4 points done with calculation error
- 3 points done with conceptual error
- 2 points done with more than one error
- 1 point attempted

There will be 16 homework problems due. There will also be 5 quizzes, unannounced and closed-book each worth 5 points. These are <u>Bonus Points</u> and if you miss the quiz by being late or absent from class it cannot be made up. The semester grade will be determined by the semester percentage score (SPS).

SPS = Students test scores, homework, and quizzes 480

Letter grades will be assigned by the scientific scale:

- A 90 to 100%
- B 80 to 89%
- C 70 to 79%
- D 60 to 69%
- F Below 60%

Thermodynamics for Engineers

Semester Schedule

Class	Topics	Readings	Practice Hom Problems Work	
1	Introduction, Units	1.1 thru 1.8	1.5, 1.6	
2	System and properties	2.1 thru 2.7	1.14,1.22,	
3	Pressure, Temperature,	2.8 through 2.13	1.26,1.28 1.30, 2.16	
4	Work and Power	3.1,3.2	2.18,2.25 2.24, 2.35 2.40, 2.43	
5	Heat and Energy Forms	3.3-3.7	3.10. 3.14 3.24, 3.25	2.27
6	Conservation of Mass and Steady Flow	4.1,4.2	4.2,4.8 4.10,4.18	3.9
7	Uniform Flow and Unsteady Flow	4.3,4.4	4.20,4.22	4.25
8	First Law of Thermo	4.5-4.8	4.38,4.40	4.57
9	Problem Session		4.44,4.48 4.41	
10	Review			
11	Examination One			
12	Equations of state	5.1,5.2	5.2,5.4 5.10	
13	Calorimetry	5.3,5.4	5.16,5.20 5.28,5.30, 5.38	5.23
14	Properties of Pure Substances	5.5	5.54,5.58 5.66, 5.45	5.43

Class	Topics	Readings		ome 'ork
15	Processes	6.1	6.2,6.8	
16	Adiabatic Processes of Perfect Gas	6.2	6.12, 6.20	
17	Processes of Comp.Gases	6.3	6.26, 6.30	6.35
18	Processes of Liquids and Solids	6.4-6.5	6.43, 6.44 6.50, 6.52	
19	Processes of Pure Substances		6.58, 6.62 6.68, 6.77 6.85	
20	Review			
21	Examination Two			
22	Heat Engines	7.1-7.4	7.2,7.4	
23	Carnot Cycle Heat Pumps		7.6, 7.8 7.12	
24	Second Law of Thermo	7.5-7.6	7.16, 7.18	7.13
25	Entropy Isentropic Processes	7.7-7.9	7.20, 7.24 7.26	
26	Mixtures	13.1-13.2	13.2, 13.3	7.29
27	Psychrometrics	13.3	13.4, 13.6	
28	Psychrometric Processes	13.4	13.12,13.14	
29	Rankine Cycle	11.1-11.7	13.16, 13.18 13.26	
30	Rankine Cycle Analysis	11.8-11.9	11.5,11.12 11.20, 11.28	
31	Refrigeration Cycles	12.1-12.4	12.2, 12.6, 12.10, 12. 11,	13.25

Class .	Topics	Readings	Practice Problems	Home Work
32	Problem Session		12.17, 12.18	
33	Review			
34	Examination Three			
35	Conduction Heat Transfer	15.1	15.2, 15.6, 15.10	15.2
36	Convection Heat Transfer	15.2	15.12,15.14	
37	Conduction/Convection	15.3	15.20,15.24 15.28	
38	Forced and Free Convection		15.30, 15.36	15.21
39	Radiation Heat Transfer	15.5 15.6	15.40, 15.39 15.44, 15.50	
40	Heat Exchangers	15.7	15.54, 15.55	
1 1	Useful Work	8.1, 8.2	8.2, 8.8	15.31
12	Availability and Free Energy	8.3, 8.4	8.10, 8.12	15.49
13	Review		8.13, 8.16	8.9
14 ******	Examination Four	*****	******	*****

The state of the s

THE PROBLEMS IN SECTION 1.4 ARE INTENDED TO PROVIDE A REVIEW OF ARITHMETIC, ALGEBRAK, AND TRIGONOMETRIC OPERATIONS.

1.1,
$$\frac{(3.70)(40.1)}{(136)(270)(3)} = \frac{0.0013468...}{}$$

1.5.
$$(62.1)(\frac{35.1}{26.1})^{1.6} = 99.76...$$

1.6.
$$(333)\left(\frac{1}{1-1.2}\right) = -1665$$

1.8 a.)
$$(5.6 \text{ kJ})\cos 160^\circ = -5.262...\text{ kJ}$$

6.)
$$(9.1 \frac{BTU}{lbm})\cos \frac{lT}{lb} = 9.1\cos 11.25^{\circ} = 8.925... \frac{BTU}{lbm}$$

The first section of the control of

THE PROBLEMS IN SECTION 1.4 ARE INTENDED TO PROVIDE A REVIEW OF ARITHMETIC, ALGEBRAK, AND TRIGONOMETRIC OPERATIONS.

1.1,
$$\frac{(3.70)(40.1)}{(136)(270)(3)} = \frac{0.0013468...}{}$$

1.5.
$$(62.1)(\frac{35.1}{26.1})^{1.6} = 99.76...$$

1.6.
$$(333)\left(\frac{1}{1-1.2}\right) = -1665$$

1.8 a.)
$$(5.6 \text{ kJ})\cos 160^\circ = -5.262...\text{ kJ}$$

Class .	Topics	Readings	Practice Problems	Home Work
32	Problem Session		12.17, 12.18	
33	Review			
34	Examination Three			
35	Conduction Heat Transfer	15.1	15.2, 15.6, 15.10	15.2
36	Convection Heat Transfer	15.2	15.12,15.14	
37	Conduction/Convection	15.3	15.20,15.24 15.28	
38	Forced and Free Convection		15.30, 15.36	15.21
39	Radiation Heat Transfer	15.5 15.6	15.40, 15.39 15.44, 15.50	
40	Heat Exchangers	15.7	15.54, 15.55	
41	Useful Work	8.1, 8.2	8.2, 8.8	15.31
42	Availability and Free Energy	8.3, 8.4	8.10, 8.12	15.49
43	Review		8.13, 8.16	8.9
44 *****	Examination Four	*****	******	*****

1.9. a.) 6.48 LOG (37.6) =
$$10.2072...$$

b.) (0.2 kN-m) L_{1} (37000) = $2.1037...$ kN-m

1.10
$$e^{1.7} = 5.4739...$$

 $e^{20.0} = (2.061..) \times 10^{-9}$
 $e^{\pi/2} = 4.810...$

$$3P + 17 = 22 \cos 28^{\circ}$$

 $3P = 22 \cos 28^{\circ} - 17$
 $P = (22 \cos 28^{\circ} - 17)/3$
 $P = 0.808 \cdots psi$

1.12 SOLVE FOR
$$\chi$$
; $\chi^3 = 324$
 $\chi = 324^{1/3} = 6.868...$ ft

THIS IS A QUADRATIC EQUATION AND

$$V = \frac{-2 \pm \sqrt{(2)^2 - 4(1)(-265)}}{2(1)} = 15.3m^3$$

THE SOLUTION V = -/7.3.. IS NOT A REAL SOLUTION.

1.14, SOLVE FOR T:

$$27.315 \% = 27.600\% - 0.003T$$

 $0.003T = 27.600 - 27.315 = 0.285$
 $T = 0.285 / 0.003$
 $T = 95\%$

1.16 FOR
$$\chi y^{1.6} = 2.3$$

$$\chi = \frac{2.3}{y^{1.6}} \qquad y = \left(\frac{2.3}{\chi}\right)^{11.6}$$

PROBLEMS IN SECTION 1.5 PROVIDE SOME PRACTICE IN APPROXIMATING AREAS UNDER CURVES AND USING TRAPETOID RULE.

1.17. AREA UNDER CURVE = AREA OF RECTANGLE

=
$$BASE \times HEIGHT$$

= $(1.5 m^3 - .06 m^3)(500 \frac{kN}{m^2})$

= $720 \frac{kN-m^3}{m^2}$

= $720 \frac{kN-m}{m^2}$

1.18. AREA UNDER CURVE = AREA OF TRAPEZOID $A = \frac{1}{2} (BASE)(SUM OF TWO SIDES)$ $A = \frac{1}{2} (I00^{\circ}C - 10^{\circ}C)(C_{V}Q I00^{\circ}C + C_{V}Q I0^{\circ}C)$ $C_{V}Q I00^{\circ}C = 3.5 + .01 \times I00 = 4.5 \text{ hT/kg} C$ $C_{V}Q I0^{\circ}C = 3.5 + .01 \times I0 = 3.6 \text{ hT/kg} C$ So $A = \frac{1}{2} (90^{\circ}C)(4.5 + 3.6 \frac{\text{hT}}{\text{kg}}C)$ = 364.5 hT/kg

1.19. AREA UNDER CURVE - A - AREA UNDER CURVE

WHERE Y VARIES

IN VERSELY WITH X

AS IN APPENDIX A.44.

 $A = C \ln V_2 / V_1$ WHERE $C = 50,000 \frac{165}{4e^2} \times 1.0 f_0^3 = 50,000 f_0 - 165$ So $A = (50,000 f_0 - 165) \ln 4.0 / \mu 0$ $= 69,314.7 f_0 - 165$

AN ALTERNATE APPROXIMATE SOLUTION CAN BE OBTAINED BY USING SMALL TRAPEROID AREAS SUMMED AS IN APPENDIX FIG AX.

AS ONE EXAMPLE OF THIS, USING 3 TRAPEZOIDAL ARBAS :

THEN THE AREA CAN BE APPROXIMATED

$$A \approx \frac{1}{2}(V_2 - V_1)(P_2 + P_1) + \frac{1}{2}(V_3 - V_2)(P_3 + P_2)$$

$$+\frac{1}{2}(V_{4}-V_{3})(P_{4}+P_{3})$$

$$\approx \frac{1}{2} (1 f_{7}^{3}) (75,000 \frac{16f}{f_{7}^{2}}) + \frac{1}{2} (1) (41,667)$$

THIS PROBLEM CAN ALSO BE SOLVED BY USING COMPUTOR PROGRAM AREA AND MICRO COMPUTER.

1.20 AREA UNDER CURVE = A = AREA UNDER A

THEN
$$A = \frac{1}{1-n} \left(P_2 V_2 - p_1 V_1 \right)$$
WHERE $V_1 = 15.0 \text{ in}^3$

$$P_2 = 20.0 \text{ lbs/in}^3$$

$$V_2 = 100.0 \text{ in}^3$$

$$P_1 = P_2 \left(\frac{V_2}{V_1} \right)^{1.5} = 20.0 \left(\frac{100}{15.0} \right) = 344.265$$
AND
$$A = \frac{1}{1-1.5} \left(20.0 \times 100.0 - 344.265 \times 15.0 \right)$$

$$= 6327.95 \frac{16p-in}{in^2} = 6327.95 \text{ in-lbp}$$

1.21 APPROXIMATE AREA UNDER CURVE = A

A = Sum of Small TRAPEZOIDAL AREAS.
=
$$\frac{1}{2}$$
 (.0108 -.01 ft3) (1000 + 900 /bf/ i_n^2)
+ $\frac{1}{2}$ (.0117-.0108) (900+800) + $\frac{1}{2}$ (.0130-.0117)
(800+700) + $\frac{1}{2}$ (.0145-.0130) (700+600)
+ $\frac{1}{2}$ (.0160-.0145) (600+500) + $\frac{1}{2}$ (.020 - .0160) (500 + 400) = 6.1 $\frac{16}{10^2}$ $\frac{1}{10^2}$ $\frac{1}{10^2}$ $\frac{1}{10^2}$ $\frac{1}{10^2}$

1.22. AREA UNDER CURVE ON T-S DIAGRAM=A $A\cong SUM OF TRAPEBOIDAL AREAS.$

en eige partigen i

THIS CAN BE DONE USING SAME SORT OF CALCULATION AS IN PROBLEM 1.21 OR BY USING PROGRAM AREA AND A MICRO COMPUTER. INPUT TO THE PROGRAM AREA WILL BE N=7, AND Y(1) = 3400, X(1)=6.78

Y(2) = 3500 , X(2) = 6.81

Y(3) = 3600 , X(3) = 6.831

Y(4) = 3700 , X(4) = 6.873

Y(5)=3800, X(5)=6.904

Y(6) = 3900 , X(6) = 6.942

Y(7) = 4000 , X (7) = 6.960

THE RESULT IS A = 665 K/kg

1-23 AREA UNDER CURVE ON T-S DIAGRAM=A
A & SUM OF TRAPEZOIDAL AREAS.

THIS CAN BE DONE USING SAME SORT OF CALCULATIONS AS IN PROBLEM 1-2/ OR BY USING PROGRAM AREA AND A MICRO COMPUTER. INPUT TO THE

PROGRAM AREA WILL BE; N=5 AND

Y(1)=500, X(1)=3.456

Y(2)=600, X(2)=3.789

Y(3)=700, X(3)=3.954

Y(4)=800, X(4)=4.002

Y(5)=900, X(5)=4.011

THE RESULT IS A = 334.05 BTU

1.24 FOR p=20.5 V WE FIND P AT V OF FROM 1 TO 10:

> 20.5 1 41.0 2 61.5 3 82.0 4 102.5 5 123.0 6 143.5 7 164.0 8 184.5 9 205.0 10

THE AREA UNDER THE CURVE p=20.5V

IS APPROXIMATED BY THE SUM OF

TRAPEZOID A REAS, USING THE METHOD

OF PROBLEM 1.21 OR USING PROGRAM

AREA AND A PERSONAL COMPUTER.

INPUT TO THE PROGRAM COULD BE

N=10 AND VALUES OF P FOR THE

Y-VALUES AND V FOR THE X-VALUES.

THE RESULT IS

A = 1014.75

USING CALCULUS:

$$A = \int p dv = \int f(v) dv = \int 20.5 v dv$$

$$= \frac{1}{2}(20.5)v^{2} = \frac{1}{2}(20.5)(100-1)$$

$$A = 1014.75$$

1.25 FOR THE CHANGE IN INTERNAL ENERGY OF A PERFECT GAS, ALL, WE HAVE

1.25 USING ST OF SO DEGREES, WE (CONT.) CALCULATE C_V AT T=100 To T=500: $C_V=3.56+.0346$ $C_V=7.02$, T=100 $C_V=8.75$, T=150 $C_V=10.48$, T=200 $C_V=12.21$, T=250 $C_V=13.94$, T=300 $C_V=15.67$, T=350 $C_V=17.40$, T=400 $C_V=19.13$, T=450 $C_V=20.86$, T=508

USING AREA AND A PERSONAL

COMPUTER WITH INPUTS OF N=10, C_V -VALUES FOR Y-VALUES, AND T FOR

X-VALUES, THE RESULT IS $\Delta U = S576 \ kJ/kg$ USING CALCULUS: SOO SOO

ΔU = 5576 kJ/kg

1.26 AREA UNDER CURVE OF PV = 2700 IS GIVEN IN APPENDIX A.4e:

$$A = \frac{2700}{1 - 1/2} \left(300^{1/2} - 10^{1/2} \right) = 76454.44$$

THE SAME AREA CAN BE APPROXIMATED
BY THE SUM OF TRAPEZOJDAL AREAS.

USING AREA AND A PERSONAL

COMPUTER WITH N=30 AND VALUES

OF P FOR Y-VALUES AND V (FROM

10 TO 300 IN INCREMENTS OF 10)

FOR X. VALUES OR P ARE DETERMINED

FROM p=2700/AV SO THAT, AT

Y=10, p=853,8; AT V=20, p=

603.7 AND SO ON. PROGRAM AREA

NEEDS TO BE REVISED TO RUN

THIS PROBLEM WITH 30 POINTS.

CHANGE LINE 100 TO READ:

100 DIM X(31)

100 DIM X (31)

AND LINE 110 TO READ:

110 DIM Y (31)

1.26 THEN THE COMPUTER RUN WILL (CONT.) GIVE

A = 76788,2 (DEPENDING

ON ROUND-OFF OF D-VALUES)

THE PROBLEMS IN SECTION 1.7
ARE INTENDED TO PROVIDE PRACTICE
IN USING ENGINEERING EQUATION
SOLVER (EES)

1.27 OPENING EES EQUATION WINDOW AND ENTERING:

{Problem 1-27}

x+2*y=3.4 x**2+y**2=4.5

THEN CLICKING CALCULATE AND THEN SOLVE GIVES:

Unit Settings: [kJ]/[C]/[kPa]/[kg]/[degrees]x = 2.003

y = 0.6985

No unit consistency or conversion problems were detected.

1.28 OPENING EES EQUATION WINDOW AND ENTERING:

{Problem 1-28}

s=3.458 T*s**1.4=4456

THEN CLICK CALCULATE ON THE TOOLBAR AND SOLVE GIVES:

Unit Settings: [kJ]/[C]/[kPa]/[kg]/[degrees] s = 3.458

T = 784.5

No unit consistency or conversion problems were detected.

1.29 OPEN EES EQUATION WINDOW AND ENTER:

{Problem 1-29}

P*V**1.4=280

THEN CLICK TABLES ON TOOLBAR AND NEW PARAMETRIC TABLE
SET NO. OF RUNS TO 20, PUT
P AND V IN VARIABLES IN TABLE
BY CLICKING ON P, THEN ADD,
THEN ON V, AND ADD, CLICK

1.29 (CONT.)

OK AND ENTER ALL VALUES

FOR P FROM O.1 TO Z.

THEN CLICK CALCULATE AND

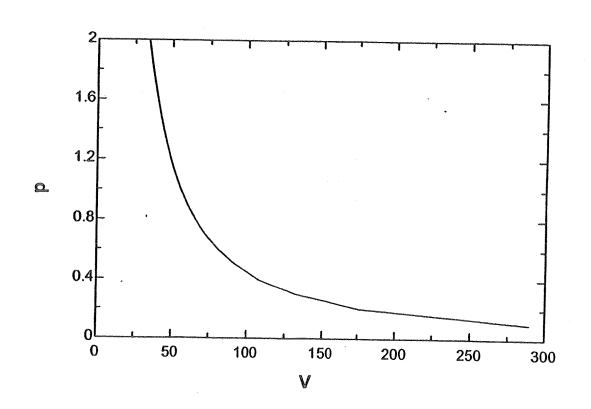
SOLVE TABLE. CLICK OK

AND RESULT 15:

Parametric Table: Table 1

	р	V
Run 1	0.1	289.9
Run 2	0.2	176.7
Run 3	0.3	132.3
Run 4	0.4	107.7
Run 5	0.5	91.83
Run 6	0.6	80.62
Run 7	0.7	72.21
Run 8	0.8	65.64
Run 9	0.9	60.35
Run 10	1	55.97
Run 11	1.1	52.29
Run 12	1.2	49.14
Run 13	1.3	46.41
Run 14	1.4	44.01
Run 15	1.5	41.9
Run 16	1.6	40.01
Run 17	1.7	38.31
Run 18	1.8	36.78
Run 19	1.9	35.39
Run 20	2	34.12

1.30 TO PLOT RESULTS OF PROBLEM
1.29, CLICK PLOTS ON TOOLBAR,
THEN NEW PLOTS WINDOW,
CLICK Y FOR X-AXIS AND
P FOR Y-AXIS. THEN CLICK
OK AND PLOT RESULTS;



1.3/ OPEN EES EQUATION WINDOW AND ENTER:

{Problem 1-31}

Wk=p*v**1.4 p*v=4.56*T Wk=Q-0.234*T Q=456/T T=23*p

THEN CLICK CALCULATE AND SOLVE TO OBTAIN:

Unit Settings: [kJ]/[C]/[kPa]/[kg]/[degrees]

p = 0.1708

Q = 116.1

T = 3.928

v = 104.9

Wk = 115.2

No unit consistency or conversion problems were detected.

Chapter 2 Discussion Questions

Section 2.1

- 2.1 A system is a region in space having at least a volume.
- 2.2 A system needs a boundary to define the volume of that system.

Section 2.2

- 2.3 A *mole* or *mol* is a given number of molecules or atoms. Avogadro's Number is the number of molecules or atoms in one mole based on a gram. That is, one gram-mole of a substance has 6.022 x 10²³ atoms or molecules, which is Avogadro's number.
- 2.4 Yes, a gram-mole is only 1/454 of a lbm-mol.

Section 2.3

- 2.5 A property helps describe a system.
- 2.6 Intensive properties of a system are properties based on one unit of mass of the system. Extensive properties describe the total system.
- 2.7 Specific energy is the energy per unit mass of a system.

Section 2.4

2.8 A state of a system is the complete description of a system, or the list of properties describing the system.

Section 2.5

2.9 A process is a change in a system's state.

Section 2.6

2.10 A cycle is a set of processes of a system which returns the system to its

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Unit Settings: [kJ]/[C]/[kPa]/[kg]/[degrees]

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Q = 116.1

T = 3.928

v = 104.9

Wk = 115.2

No unit consistency or conversion problems were detected.

original state.

Section 2.7

- 2.11 Weight is the gravitational attraction between two bodies. The mass is a quantity of matter and weight is mass multiplied by the gravitational acceleration.
- 2.12 The term g_c is a constant of proportionality between momentum change (or mass times acceleration) and force (or weight)

Section 2.8

- 2.13 Specific volume is the volume per unit mass of a system.
- 2.14 Specific weight is the weight per unit volume of a system.
- 2.15 Specific Gravity is the ratio of the density of a substance to that of water at 4° C, standard atmospheric pressure of 1 bar.
- 2.16 Density is the mass per unit volume, or inverse specific volume.
- 2.17 Gage pressure is the pressure measured by a gage, usually when the gage is placed in a standard atmosphere of 1 bar pressure. It is a difference in pressure between absolute pressure of a system and the atmospheric pressure. Gage pressure is the pressure "felt" by a system at its boundary.

Section 2.9

2.18 The zeroth law of thermodynamics makes a temperature measurement independent of a system. Thus, a temperature of, say 30 degrees, is the same anywhere and anytime.

Section 2.10

- 2.19 Temperature is a measure of the "hotness" of a system.
- 2.20 A thermopile a group of thermocouples, all connected in series to each other.

Section 2.11

- 2.21 Energy is the capacity of a system to affect changes to its surroundings.
- 2.22 Internal energy is the form of energy manifested by the hotness or temperature, or the thermal energy. It is the kinetic energy of the individual atmos or molecules making up the system.

Section 2.12

- 2.23 Some outputs from a system would be, for instance, power produced by an engine, amount of water boiled in a boiler, or an amount of air pressurized in an air compressor.
- 2.24 Some inputs to a system would be, for instance, rate of fuel used by an engine, amount of energy used by a boiler, or power to drive a compressor.

Section 2.13

2.25 A derived unit is a unit or combination of fundamental units for describing a particular property or quantity.

THE PROBLEMS IN SECTIONS 2.7 AND 2.8 ARE INTENDED TO HELP UNDERSTAND THE CONCEPTS OF WEIGHT, MASS, VOLUME, DENSITY, SPECIFIC VOLUME, AND PRESSURE.

2.1 WEIGHT
$$W = mg$$
. THUS, AT $g = 9.8 m/s^2$
 $W = (2 kg)(9.8 m/s^2) = 19.6 NEWIONS$
(N)

AT g = 9.78 m/s²

W=(2kg)(9.78 m/s²)= 19.56 N

SO THAT THE GOLD CUBE HAS GREATER

WEIGHT AT LOCATION WHERE g= 9.8 m/s.

THE MASS IS THE SAME AT BOTH

LOCATIONS.

2.3
$$W = mg/g_c$$
 FOR ENGLISH ENGR. UNITS.
SO THAT $m = Wg_c/g$.
AT SEA LEVEL $g = 32.174 \text{ fr/s}^2$ SO THAT $m = (8.333 16_f)(32.174 \text{ fr/bm})/(32.174 \text{ fr/s}^2)$

2.4 THE MASS OF THE BATTERY IS THE SAME ON THE EARTH AND ON THE MOON.

$$m = Wg_c / g = (32/b_f)(32.174 fr-16m/16m·s^2)$$

= 32 16m.

ON THE MOON, WHERE $g = 5.47 \, fr/s^2$ $W = mg/g_e = (32 \, lb_m) (5.47) / (32.174)$ $W = 5.44... \, lb_f$

2.5 (a.) 11bm = 453.59 grams & 454 grams

(C.) POUNDS-FORCE IS A FORCE OR WEIGHT UNIT. IF g = 32.174 fils = AND SINCE 20 SLUGS IS A MASS, WE HAVE

W = mg = (20 SLUGS)(32.174 fils=)
= 643.48 /bf

(d.) DYNE IS A FORCE OR WEIGHT UNIT.

IF
$$g = 9.8 \, \text{m/s}^2$$
 AND $m = 100 \, \text{grams} = 0.1 \, \text{kg}$, $THEN$
 $W = mg = (0.1 \, \text{kg})(9.8 \, \text{m/s}^2) = 0.98 \, \text{N}$

BUT $I = I0^5 \, \text{DYNES}$, SO

 $W = 98,000 \, \text{DYNES}$

(e.) This is a convocation From Mass to FORCE AND FROM SI TO ENGLISH UNITS. Since $m = 200 \, kg$ AND $g = 9.8 \, m/s^2$, WE HAVE $W(F) = mg = (200 \, kg)(9.8 \, m/s^2)$ $= 1960 \, N$

SINCE IN= 0.2248 16 F WE HAVE W(F) = 440.6. 165

2.6 (a.) VOLUME = V = IT × (DIAMETER) × LENGTH

$$V = \pi \left(\frac{lm^2}{4}\right)(1.5m) = 1.178...m^3$$

(b.) SPECIFIC WEIGHT =
$$\frac{W}{V} = \frac{6000 \text{ N}}{1.178 \text{ m}^3} = 8^{\circ}$$

$$\rho = \frac{5093 \, N/m^3}{9.82 \, \%_{5^2}} = \frac{518.6 \, kg/m^3}{}$$

2.7
$$W = mg$$
 AND $V = mv$. THEN $m = V/v$ AND $W = Vg/v$. Substituting VALUES: $W = \frac{(4800 \text{ cm}^3)(9.78 \text{ m/s}^2)(10^{-6} \text{ m}^3/\text{cm}^3)}{0.9 \text{ m}^3/\text{kg}}$
 $W = 0.052...N$

2.9 A TANK IS 5m HIGH AND HALF-FULL OF WATER.

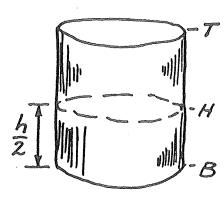
(a.) ASSUME AIR PRESSURE

IS CONSTANT AT 13 kPa

IN TOP HALF OF TANK.

THEN THE GAGE

PRESSURE IS THE SAME



AT THE TOP OF THE WATER.

(b.) PRESSURE AT BOTTOM = $P_B = P_H + 8 \times \frac{h}{4.0} \times \frac{h}{2}$ $P_B = 13 \, kR_a + (998 \, \frac{kg}{3} \times 9.8 \, \frac{m}{5^2})(2.5 \, m)$ $= 13 \, kR_a + 24.451 \, kR_a = 37.451 \, kR_a$

(c.) P_{H} = 13 kPa + 101kPa = 114 kPa P_{B} = 37.451 +101 = 138.451 kPa

2.10 (a.) DENSITY P = 1 = 10.07 ft 3/16m = .0993 16m/ft 3

(b.) SPECIFIC WEIGHT 8 = \(\frac{9}{9}cP\)

8 = \(\left(\frac{32.1 \text{ fish lbm/lg-s}^2}{32.174 \text{ fish lbm/lg-s}^2} \right) \(0.0993 \frac{16m}{ft^3} \right)

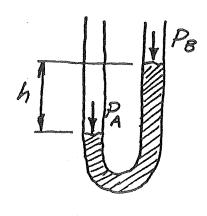
8= .0991 165/43

2.11 AIR IS ASSUMED TO HAVE A CONSTANT

PRESSURE THROUGHOUT ANY ONE CLOSED

VOLUME SO THAT PA ACTS ON MERCURY

IN MANOMETER AS
SHOWN, THE PRESSURE
IN THE MERCURY IS
THE SAME AT ANY
ONE ELEVATION, THUS $P_{A} = P_{B} + \begin{cases} x & h \\ Hg \end{cases}$



· SOLVING FOR h:

$$h = \frac{P_A - P_B}{8} = \frac{(20 \text{ psig} - 18 \text{ psig})(144 \text{ in}^2/\text{ft}^2)}{(845 16 \text{ f}/\text{ft}^3)}$$

2.12 PRESSURE = FORCE/AREA

FORCE = PRESSURE * AREA
$$= \left(250 \frac{16f}{10^{2}}\right) \left(\frac{1}{4} + \frac{2}{4}\right) \left(\frac{1}{4} + \frac{2}{10}\right)$$

2.15
$$p = P_g + P_a$$

= 955 psig + 14.4 psi
 $p = 969.4 psia$

2.16
$$P^{2} P_{a}^{-} P_{gv} = 100.4 - 80$$

 $P = 20.4 k P_{a}$

PROBLEMS FROM SECTIONS 2.9 AND 2,10

ARE INTENDED TO HELP STUDENTS UNDERSTAND THERMAL EQUILIBRIUM AND TEMPEPATURE MEASUREMENTS.

- 2.17 BLOCKS A AND B ARE NOT IN THOUMS EQUILIBRIUM. THEY WOULD BE IN THERMAL EQUILIBRIUM IF THEY WERE AT THE SAME TEMPERATURE.
- 2.18 COPPER-CONSTANTAN THERMOCOUPLE WILL GENERATE AN EMF (VOLTAGE) IN DIRECT PROPORTION TO THE JUNCTION)
 TEMPERATURE. THE MAXIMUM VOLTAGE WILL BE OBSERVABLE AT 400°F AND FROM TABLE 2-3 THIS WOULD BE 9.523 MILLIVOLTS.
- 2.19 IRON-CONSTANTAN THERMOCOUPLE HAS A
 MEASURED EMF OF 8.700 mV. FROM
 TABLE Z-3 THE TEMPERATURE MAY BE
 FOUND BY LINEAR INTERPOLATION

$$\frac{T-177}{148.9-177} = \frac{8.700-9.483}{7.947-9.483} = .50977$$

$$T = 177 - 14.325 = 162.675^{\circ}C$$

2.20 WE MAY WRITE THE MT+6 WHERE M AND & ARE CONSTANTS. THEN WE SUBSTITUTE VALUES, TWO WHEN TO 28.5°C AND TN = 100 WHEN TC = 690°C.

> 0= m (28.5)+ b 100 = m (690) + 6

SOLVING THESE TWO EQUATIONS FOR M AND b: m=0.1512 AND b=-4.308 SO THAT .

TN = 0.1512Tc - 4.308

ALSO To = T-273 WHERE TIS IN KELVIN DEBRECS. AT ABSOLUTE ZERE; T=0 so

Tw= .1512(T-273)-4.308

Ty = -45.58N AT ABSOLUTE ZERO.

SLOPE = - / "D/OR (SEE GRAPH) TON

$$T_{L} = LOG T^{\circ}R = LOG T_{R}$$
. ALSO
$$T_{R} = \frac{9}{5}T_{K} \quad SO \quad THAT$$

$$T_{L} = LOG \left(\frac{9}{5}T_{K}\right) = LOG \frac{9}{5} + LOG T_{K}$$

OR
$$T_{L} = 0.255... + LOG T_{K}$$

2.25 USING TABLE 2-3, THE EMF IN MV FOR A COPPETZ-CONSTANTIN THERMOCOUPLE IS 3.967 mV AT 200°F. A THERMOPILE IS A GROUP OF THERMOCOUPLES CONNECTED IN SERVIES. THUS THE EMF FOR 8 THERMOCOUPLES

THE PROBLEMS OF SECTION 2.11 ARE IN-TENDED TO GIVE A BETTER UNDERSTANDING OF ENERGY: KINETIC, POTENTIAL, AND INTERNAL.

2.26 (a.) KINETIC ENERGY = $\frac{1}{2}mV^2$ $KE = (\frac{1}{2})(45,000 \text{ kg})(1000 \frac{\text{km}}{h})^2 (\frac{1h}{3600s})^2$ AND 1000 m (10 m) = 1 km So THAT $KE = (1736 \frac{\text{kg-km}^2}{\text{s}^2})(10 \frac{\text{6m}^2}{\text{km}^2}) = 1.736 \times 10 \frac{\text{kJ}}{\text{kJ}}$

2.27 (a.) ZERO (O), SINCE V APPEARS
TO BE ZERO.

(b.)
$$KE = \frac{1}{2}mV^2 = \frac{1}{2}(\frac{W}{9})V^2$$

=\(\frac{1}{2}\frac{170N}{9.8m/s^2}\frac{140,000}{h}\frac{m}{3600s}\frac{1h}{3600s}\frac{1}{3600s}\frac{1}{3}\frac{1}{3600s}\frac{1}{3}\frac{1}\frac{1}{3}\frac{1}{3}\frac{1}{3}\frac{1}{3}\frac{1}{3}\frac{1}

(b.) THE STEEL WILL SINK AND THEREFORE FALL 60 meters.

DPE= (1kg) (9.8 m/z) (60m)= 588 J

2.29 THE ENERGY SUPPLIED BY THE PUMP MUST BE EQUAL TO THE INCREASE IN POTENTIAL ENERGY OF THE WATER, WHICH IS

$$\Delta pe = \Delta PE/m = g(\Delta z)$$

$$= (9.8 \, m/s^2)(75 \, m) = 735 \, J/kg$$

2.30
$$ke = \frac{1}{2} \vec{V}^2 = (\frac{1}{2})(24 \frac{m}{5})^2 = 288 \frac{J}{kg}$$

2.31
$$KE = \frac{1}{2}mV = \frac{1}{2}(1kg)(60\frac{m}{5}) = 1800 J$$

2.32 (a.) TOTAL ENERGY = AKE + KE + PE + U
= 305 kJ

2.33 (a.) POTENTIAL ENERGY, PE =
$$mg^2/g_c$$

AND $g = 32.09 \text{ fr/s}^2 \text{ FROM TABLE B. 2}$

THE BALLOON MASS IS

 $m = \frac{g_c}{g}W = \left(\frac{32.17}{31.7}\right)\left(\frac{10}{16}lb_f\right) = 0.634 lb_m$

THEN

PE = 3162.1 ft-16f

(b.) AT SEA LEVEL
$$g = 32.108$$
 FROM

TABLE B.2. THEN, WITH $Z = -1000 ft$
 $PE = (0.634 lbm)(32.108 ft/s^2)(-1000 ft)$
 $(32.17 ft.lbm/lbf.s^2)$
 $= -632.778 ft-lbf$

(C.) ZERO, SINCE RELEASE POINT WAS
ASSUMED TO BE ELEVATION OF
ZERO POTENTIAL ENERGY.

2.35
$$ke = \frac{1}{2ge} \sqrt{\frac{70 \text{ mi/hr}}{(1.47 \text{ ft/s/mi/hr})^2}} \frac{(70 \text{ mi/hr})^2(1.47 \text{ ft/s/mi/hr})^2}{(2)(32.17 \text{ ft-16m/16s.s}^2)}$$
 $ke = 164.5... \text{ ft-16f/16m}$

2.36 TOTAL ENERGE,
$$E = KE + PE + U$$

$$= (101b_{m}) \times (500 \text{ BTU}/b_{m}) + (101b_{m}) \times (1008\text{ BTU}/b_{m})$$

$$+ 15,000 \text{ BTU}$$

$$E = 21,000 \text{ BTU}/b_{m}$$

$$e = \frac{E}{m} = 2,100 \text{ BTU}/b_{m}$$

2.38
$$ke = \frac{1}{2ge} = \frac{(2 fr/s)^2}{2(32.17 fr.16m/16f.s^2)}$$

= 0.062 fr.16f/16m

PROBLEMS IN SECTION 2.12 ARE INTENDED TO GIVE A BETTER UNDERSTANDING OF EFFICIENCY.

2.40 EFFICIENCY, $\gamma = \frac{OUTPUT}{INPUT} = 0.92$ THE INPUT IS $140,000 \frac{BTU}{GAL} \times 100 \text{ GAL}$ = 14,000,000 BTU.THE EXPECTED OUTPUT IS

THE EXPECTED OUTPUT 15

OUTPUT = (0.92)(14,000,000 BTU)

= 12,880,000 BTU.

2.41 $\gamma = \frac{OUTPUT}{INPUT} = 0.08$ AND OUTPUT = 2.5kW

SO! THAT $INPUT = \frac{2.5kW}{0.08} = 31.25kW$ ALSO $INPUT = (IODOW/m^2)(AREA OF PANEL)$ AND ADED OF PANEZ = 31.25kW

7= CUTPUT = 0.70 THE INPUT IS THE POTENTIAL ENDREY OF THE WATER: 60 16 f. fr/16 AND THE RATE IS 60 × 1,000,000 fr. 16 /min = 60,000,000 fr-16f/min = 1,000,000 fr. 161/5 = 1818,18... hp = 1356.36.. kW THE OUTPUT IS THEN OUTPUT = (0.70)(1356.36 kW) = 949.45 kW 2.43 EFFICIENCY, 7= OUTPUT OUTPUT = 200 MW = 200,000 KW INPUT = $30,000 \frac{kJ}{kJ} \times 1.6 \times 10^6 \frac{kg}{day}$ = $48 \times 10^9 kJ/day = 2 \times 10^9 kJ/hr$ = 555,555.. kW $7 = \frac{200,000 \, kW}{555,555 \, kW} = 36\% \, (.36)$ 2.44 EFFICIENCY = OUTPUT = 7 OUTPUT = 5kW INPUT = 180,000 BTU x 0.4 BAL

47

INPUT =
$$72,000 \frac{BTH}{br} = 20 \frac{BTH}{S}$$

= $21.1 \pm W$

SO THAT

$$\gamma = \frac{5 \pm W}{21.1 \pm W} = 23.7 \%$$
2.45 EFFICIENCY = $\frac{OUTPUT}{1NPUT} = \gamma$

INPUT = 3800 J

OUTPUT = $3600 \text{ W} = 3600 \text{ J}$

So
$$\gamma = \frac{3600 \text{ J}}{3800 \text{ J}} = \frac{94.7 \%}{3800 \text{ J}}$$
2.46 FOR 100 WIND GENERATORS

PRODUCING 250 $\pm W$ EACH,

TOTAL POWER = $100 \times 250 \pm W$

= $25 MW$

FOR 38% EFFICIENCY

$$\gamma = \frac{OUTPUT}{WIND POWER} = 0.38$$
AND

WIND POWER = $\frac{25 MW}{0.38}$

= 65.789 MW

PROBLEMS OF SECTION 2.13 ARE INTENDED TO PROVIDE ADDITIONAL PRACTICE IN HANDLING UNITS.

2.47 FROM THE DEFINING EQUATION FOR THE REYNOLDS NUMBER

$$\mu = \frac{\rho VD}{Re}$$
 AND Re IS UNITLESS,
 ρ IS DENSITY, V IS
 V ELOCITY, AND D IS

A DIAMETER OR LENGTH. IN SI:

$$\mu = \left(\frac{kg}{m^3}\right)\left(\frac{m}{s}\right)\left(m\right) = \frac{kg}{m \cdot s}$$

IN ENGLISH UNITS

2.48 (a.) UNITS FOR X ARE kJ OR BTU Kg.S 16m.S

(b.)
$$\chi$$
 UNITS ARE $\frac{kJ}{kg \cdot K}$ OR $\frac{kJ}{kg \cdot C}$ IN SI

$$\frac{BTU}{lb_m \cdot R}$$
 OR $\frac{BTU}{lb_m \cdot F}$ IN ENGL.

(C.) X UNITS ARE KJ OR BTU.

2.49 IN SI, THE LEFT SIDE HAS UNITS OF kg/m4, THE RIGHT SIDE:

SO THE UNITS ARE THE SAME, IN ENGLISH UNITS THE LEFT SIDE HAS UNITS OF 16m/f, THE RIGHT SIDE:

WHICH GIVES THE SAME UNITS AS THE LEFT SIDE.

2.50 (a.) UNITS OF
$$C = \left(\frac{N}{m^2}\right) \left(\frac{m^3}{kg}\right)^{1.7} = \frac{N \cdot m^{3.1}}{kg^{1.7}}$$
 (SI)

$$= \left(\frac{16f}{f_f^2}\right) \left(\frac{f_7^3}{lb_m}\right)^{1.7} = \frac{16f \cdot f_7^3}{lb_m^{1.7}} = \frac{N \cdot m^{3.1}}{lb_m^{1.7}} = \frac{N \cdot m^{3.1}}{lb_m$$

2.50 (b.)
$$\left(\frac{N}{m^{2}}\right)^{\frac{N}{kg}} = \frac{N \cdot m^{\frac{1.9}{kg}}}{kg^{\frac{1.3}{3}}}$$
 (SI)
 $\left(\frac{lbf}{fr^{2}}\right)^{\frac{N}{kg}} = \frac{lbf \cdot f_{1}^{\frac{1.9}{4}}}{lb_{m}^{\frac{1.3}{3}}}$ (ENGLISH)
 $\left(\frac{C}{m^{2}}\right)^{\frac{N}{kg}} = \frac{lbf \cdot lb_{m}^{\frac{1.3}{3}}}{lb_{m}^{\frac{1.3}{3}}}$ (SI)
 $\left(\frac{lbf}{fr^{2}}\right)^{\frac{N}{kg}} = \frac{lbf \cdot lb_{m}^{\frac{1.3}{3}}}{lb_{m}^{\frac{1.3}{3}}}$ (ENGL.)
 $\left(\frac{lbf}{fr^{2}}\right)^{\frac{N}{kg}} = \frac{lbf \cdot lb_{m}^{\frac{1.3}{3}}}{ff^{\frac{5.9}{5.9}}}$ (ENGL.)
 $\left(\frac{lbf}{fr^{2}}\right)^{\frac{N}{kg}} = \frac{lbf \cdot lb_{m}^{\frac{1.3}{3}}}{lb_{m}^{\frac{1.3}{3}}}$ (ENGL.)

Chapter 3 Discussion Questions

Section 3-1

- 3.1 Work is energy crossing a system boundary due to a force acting through a distance.
- 3.2 A volume change is due to a boundary moving and this is due to a force or pressure, thus we call this *boundary work*.

Section 3-2

- 3.3 Power is the time rate of doing work.
- 3.4 A kilowatt hour can describe power summed or integrated over a time period and this is work.

Section 3-3

- 3.5 *Heat* is energy crossing the boundary of a system due to a temperature difference and not a force acting through a distance.
- 3.6 The *calorie* is an amount of energy that could raise the temperature of one (1) gram of water by one (1) degree celsius.
- 3.7 *Heat Transfer* is the time rate of *heat*.

Section 3-4

3.8 Both friction and viscous effects are not reversible and thus work done against them is irreversible work.

Section 3-5

3.9 Heat and work have the same units of energy and both are energy in transition or crossing the system boundary.

2.50 (b.)
$$\left(\frac{N}{m^{2}}\right)^{\frac{N}{kg}} = \frac{N \cdot m^{\frac{1}{9}}}{kg^{\frac{1}{3}}}$$
 (SI)
 $\left(\frac{lbf}{ft^{2}}\right)^{\frac{N}{4g}} = \frac{lbf \cdot f_{1}^{\frac{1}{9}}}{lb_{m}^{\frac{1}{3}}}$ (ENGLISH)
 $\left(\frac{N}{m^{2}}\right)^{\frac{M}{kg}} = \frac{lbf \cdot f_{1}^{\frac{1}{9}}}{lb_{m}^{\frac{1}{3}}}$ (SI)
 $\left(\frac{lbf}{ft^{2}}\right)^{\frac{N}{kg}} = \frac{lbf \cdot lb_{m}^{\frac{1}{3}}}{ft^{\frac{5}{9}}}$ (ENGL.)
 $\left(\frac{lbf}{ft^{2}}\right)^{\frac{N}{1bm}} = \frac{lbf \cdot lb_{m}^{\frac{1}{3}}}{ft^{\frac{5}{9}}}$ (ENGL.)
 $\left(\frac{lbf}{ft^{2}}\right)^{\frac{N}{1bm}} = \frac{lbf \cdot lb_{m}^{\frac{1}{3}}}{ft^{\frac{5}{9}}}$ (ENGL.)
 $\left(\frac{lbf}{ft^{2}}\right)^{\frac{N}{1bm}} = \frac{lbf \cdot lb_{m}^{\frac{1}{3}}}{ft^{\frac{5}{9}}}$ (ENGL.)

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Section 3-6

3.10 The three types of systems are isolated, closed, and open.

Section 3-7

3.11 Work and heat cannot be stored in a system or stored in the surroundings. Thus, being transitional phenomena, they are not properties of a system.

THE PROBLEMS IN SECTION 3. / PROVIDE PRACTICE IN DETERMINING WORK INVOLVING LINEAR AND ROTATING MOTION, SPRINGS, PISTON-CYLINDERS, AND OTHERS

3.2 WORK =
$$W \times \Delta Z = mg(\Delta Z)$$

= $(30 kg)(9.8 m/s^2)(20 m)$
= $5880 J$

3.3 WORK =
$$W \times \Delta Z = \frac{9}{9} m \Delta Z$$

= $\left(\frac{31.8 \text{ ft/s}^2}{32.17 \text{ ft·lbm/lbf·s}^2}\right) (30 \text{ lbm}) (3 \text{ ft})$
= 88.96 ft-lbf

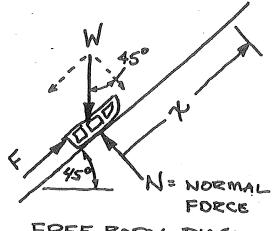
3.4 THE WORK DONE TO PUSH A SLED UP AN INCLINE OF 45° AND WHICH IS FRICTION-LESS IS FX SHOWN IN THE FREE

BODY DIAGRAM.

SO THAT, THE

WORK IS

WK= Fx



FREE-BODY DIAGRAM

3.5 FOR À LINEAR SPRING $F = b\chi$ WHERE $b = 100 \, lb_f / in$ AND $\chi = \frac{3}{8} in$. THEN

F= $100 \times \frac{3}{8} = 37.5 \text{ lbf}$.

THE WORK DONE TO COMPRESS THE SPRING FROM ITS FREE LENGTH IS $WK = \frac{1}{2} b \chi^2$ $= \frac{1}{2} (100 \frac{16}{9}) (\frac{3}{8} in)^2 = 7.03... in-16f$

3.6 ASSUMING THE DEFLECTION OF THE SPRING WAS FROM ITS FREE LENGTH

WK = 26x2 = 1.8 J

AND SINCE
$$b = 180 \, \text{N/cm}$$
,
$$\chi = \sqrt{\frac{2 \, \text{Wk}}{b}} = \sqrt{\frac{2 \times 1.8 \, \text{N·m} \times 100 \, \text{cm/m}}{180 \, \text{N/cm}}}$$

$$\chi = 1.414... \, \text{cm}$$

3.7
$$Wk = \frac{1}{2}b(\chi_2^2 - \chi_1^2)$$
 WHERE

 $b = \frac{140}{16}f_{lin}$, $\chi_1 = lin$, AND $\chi_2 = 2in$

THEN

 $Wk = \frac{1}{2}(\frac{140}{in})(\frac{2in}{2in} - \frac{12in}{in})$
 $= \frac{210}{in} \frac{in-16f}{in}$

FORCE AFTER EXTENSION TO 8cm MORE
$$= (6.4 \text{ kN/m})(10 \text{ cm})(\frac{1}{100 \text{ cm/m}})$$

$$= 0.64 \text{ kN} = 640 \text{ N}$$

$$Wk = \frac{1}{2}b(\chi_2^2 - \chi_1^2) = \frac{1}{2}(6.4)(100 - 4)(\frac{1}{104})$$

$$= .03072 \text{ kJ} = 30.72 \text{ J}$$

3.9 (a.) WE = FX WHERE-

$$F = ma/g$$
 $a = \Delta V/\Delta t$ IF a is constant, and $x = \frac{1}{2}at^2$.
 $a = \frac{60mph}{10s} \times \frac{1.47fe/s}{mph} = 8.82fe/s^2$
 $T = \frac{1}{2}(8.82\frac{fe}{s})(10s)^2 = 441fe$
 $F = (300016m)(8.82fe/s^2)/(32.17fe-16m/6fe/s^2)$
 $= 822.5... 16f$

THEN

 $WK = (822.5.16f)(441fe) = 362,722fe-16fe$
(b.) IF $t = 15s$, instead of 10s.

 $a = \frac{60}{15} \times 1.47 = 5.88fe/s^2$
 $T = \frac{1}{2}(5.88)(15)^2 = 661.5fe$
 $T = (300016m)(5.88fe/s^2)/(32.17)$
 $T = 548.3... 16f$

AND

 $T = 362,7006fe-16f$
 $T = 362,7006fe-16f$

- 3.10 ZERO WORK SINCE NO VOLUME CHANGE OCCURS.
- 3.11 ZETRO WORK SINCE NO VOLUME CHANGE OCCURS, BOUNDARY WORK THAT IS.
 THERE WILL BE WORK DONE TO STRETCH THE ROO.
- 3.12 WORK FROM (1) TO (3) IS ZERO AND WORK FROM (3) TO (4) IS AREA UNDER CURVE (3-4). THUS:

 $WK = (6 kPa)(0.15 m^3 - 0.05 m^3)$ = 0.6 kJ

3.13 WK FROM (2) TO (4) IS ZETRO AND WK FROM (1) TO (2) IS AREA UNDER CURVE (1-Z), THUS:

WK = (14 kPa)(0.15m3-0.05m3)

= 1.4 KJ

3.14 THE WORK DONE BY THE PISTON WILL

BE THE SAME AS THE BOUNDARY

WORK; WK= I, PSV, AND SINCE THE

PRESSURE IS CONSTANT, TH. WORK IS WK = PAV. THE VOLUME CHANGE IS DV = TT (DIAMETER) (4) (STROKE) = T(.08m)(1/4)(0,20cm)=.001 m3 THEN WK = (14000 kPa)(.001 m3)

= 14.0..KJ

3.15 WK= pav SINCE PRESSURE IS A CONSTANT. THEN, WORK OF ATMOSPHERE 15, WK = (100 kPa (+ 3 m3) = 300 kJ

THE WORK DONE ON THE ATMOSPHERE IS DONE AT CONSTANT PRESSURE (ATMOS-PHERIC PRESSURE) AND SO $Wk = p\Delta V = p(V_2 - V_1)$ FROM EXAMPLE 3-5 V2 = 696.9 fx 3 AND V, = 523.6 A3, THEN WK = (14.7 161) (696.9 ft 3 - 523.6 ft 3) = 2547.51 16f.fr3/1;2. CONVENTING UNITS AND REDUCING: WK= 2547.51 = 144 1/2 = 366,841.44 fe-16f

3.17 WORK IS DONE ON THE ENGINE BY THE ATMOSPHERE. SINCE THE WORK IS DONE AT CONSTANT PRESSURE,

$$Wk = p\Delta V = (14.6 \frac{16}{in^2})(6 in^3)$$

$$= 87.6 in - 16f$$

3.18 SINEE THE WORK IS DONE AT CONSTANT TORQUE:

$$\Theta = 100 \, \text{rev} \times 2\pi \, \text{rad/rev} = 628.3 \, \text{rad}.$$

THEN

 $Wk = (75 \, \text{N·m})(628.3 \, \text{rad}) = 47.122.5 \, \text{N·m}$

3.19 SINCE WORK IS DONE AT CONSTANT TORQUE:

$$Wk = T\Theta$$

$$\Theta = (25^{\circ})(\frac{2\pi}{360} \frac{\text{rad}}{\circ}) = 0.436 \text{ rad}.$$

$$Wk = (120 \text{ ft·1bf})(0.436 \text{ rad}.)$$

$$= 52.32 \text{ ft-1bf}$$

3.20 FOR A PROCESS WHERE pV=CTHEN $p,V_1=p_2V_2$ AND $V_2=V_1(p_1/p_2)$

3.20 OR

$$(CONT.)$$
 $V_2 = (0.5m^3)(200kPa)/1600kPa)$
 $= .0625m^3$

FOR BOUNDARY WORK, $\sum p8V$, when pV=C, THE RESULT IS $Wk=CknV_2/V_1=p_1V_1knV_2/V_1$ OR, $=p_2V_2lnV_2/V_1$ THEN $Wk=(1600kR)(.0625m^3)ln(.0625m^3)$ =-207.9...kJ

NEGATIVE SIGN INDICATES WORK IS DONE ON THE SYSTEM.

ALTERNATELY:

USING CALCULUS.

$$Wk = \int_{V_{2}}^{V_{2}} dV = \int_{V_{1}}^{V_{2}} \frac{dV}{V} = C \int_{V_{1}}^{V_{2}} \frac{dV}{V}$$

$$= C \ln V_{2}/V_{1}$$

$$= p, V_{1} \ln V_{2}/V_{1} = -207.9...kJ$$

3.21 FOR THE PROCESS' WHERE
$$pV = C_{,}WE$$

HAVE $p_{,}V_{,} = p_{2}V_{2}$
 $p_{2} = p_{1}V_{1}/V_{2} = (500 \text{ psia}) \frac{1.4 \text{ in}^{3}}{15 \text{ in}^{3}}$
 $= 46.67...psia$

THE BOUNDARY WORK, FOR pV=C, 15 $Wk = C \ln \frac{1}{2} / \sqrt{1} = C \ln \frac{p}{p_2}$ WHERE $C = p, V_1 = p_2 V_2$.

THEN $Wk = (500 psia)(1.4 in^3) \ln \left(\frac{500 psia}{1.4 in^3}\right) \ln \left(\frac{500 psia}{1.4 in^3}\right)$

ALTERNATIVELY, USING CALCULUS:

$$Wk = \int_{P}^{V_{2}} dV = \int_{C}^{V_{2}} dV = C \int_{V}^{V_{2}} dV$$

$$= C \ln V_{2}V_{1} = p_{1}V_{1} \ln V_{2}V_{1}$$

$$Wk = 1660.1... in.16f$$

3.22 FOR THE POLYTROPIC PROCESS $P_1 V_1^n = P_2 V_2^n = C$ $P_2 = P_1 \left(\frac{V_1}{V_2} \right)^n$

$$P_2 = (6MPa) \left(\frac{.02m^3}{1.0m^3} \right)^{1.35} = .0305MPa$$

FOR THE BOUNDARY WORK OF A POLYTROPIC PROCESS, EQN (3-17)

$$Wk = \frac{1}{1-n} (P_2 V_2 - P_1 V_1)$$

$$= \frac{1}{1-1.35} (30.5 \text{LR} \times 1.0 \text{m}^3 - 6000 \text{LR} \times .02 \text{m}^3)$$

$$= 255.7 \cdots \text{LJ}$$

ALTERNATIVELY, USING CALCULUS:

$$Wk = \int_{P}^{V_{2}} dV = \int_{V_{n}}^{V_{2}} dV = C \int_{V_{n}}^{V_{2}} dV$$

$$= C \left(\frac{1}{1-n} \right) \left(\frac{1-n}{2} - \frac{1-n}{2} \right)$$

$$= \frac{1}{1-n} \left(\frac{1}{2} - \frac{1}{2} - \frac{1}{2} - \frac{1}{2} \right)$$

$$Wk = 255.7...kJ$$

WK = 255.7... KJ

3.23 FOR THE POLYTROPIC PROCESS P,V,"= P2V2", SOLVING FOR n:

$$\left(\frac{V_i}{V_2}\right) = \frac{P_2}{P_i}$$
 AND $n \log \frac{V_i}{V_2} = \log \frac{P_2}{P_i}$

$$\eta = \left[\frac{\log P_{1}}{P_{1}} \right] / \left[\log \frac{V_{1}}{V_{2}} \right] \\
= \left[\frac{\log \frac{120}{14.6}}{14.6} \right] / \left[\frac{\log \frac{0.330}{0.057}}{0.057} \right] = 1.199.$$

THE BOUNDARY WORK IS GIVEN BY EQUATION (3-12):

$$Wk = \frac{1}{1-n} \left(\rho_2 V_2 - \rho_1 V_1 \right)$$

$$= \frac{1}{-0.199} \left(\frac{120}{16} \frac{16}{16} \times 0.057 fr_1 \times 144 fr^2} \right)$$

$$= -14.6 \times .330 \times 144$$

$$= -1463 fr - 16f / 16m$$

NEGATIVE WORK MEANS THAT THE WORK IS INTO THE SYSTEM.

3.24 THE SIMPLEST, YET SUFFICIENT,
APPROXIMATION OF THE WORK IS

THE AREA UNDER CURVE 1-2 USING
A TRAPEZOID AND A RECTANGLE:

THE TRAPEZOID IS $A = \frac{1}{2} base \times (sum of two sides)$ $= \frac{1}{2} (4.75-2 cm^3)(300 + 133 kPa)$

= 595.375 kPa.cm3 = .595375 J

THE RECTANGLE IS

A = base × height = (300kPa)(12-4.75cm3)

= 2175 kPa.cm3 = 2.175 J

THUS

Wk= 2.770375 J

3.25 THE WORK OF THE PROCESS 1-2 CAN
BE APPROXIMATED AS THE AREA UNDOR
THE CURVE, THIS AREA CAN BE
ESTIMATED BY ADDING SMALL
TRAPEZOIDAL AREAS, OR BY USING
PROGRAM AREA WITH A PC COMPUTER. AS A FIRST APPROXIMATION,
SELECTING THE FOLLOWING POINTS:

P (psi)	V(A	63) <u>SV</u>	Pave SV (psi-fia)
48.0	0./	0.1	4.70
46.0	0.2	0./	3.85
31.0 20.0	0,3	0.1	2.55
17.5	0.5	0.1	1.875

12.975

THUS, WK ~ 12.975 16f. fx 3

AND, CONVERTING, WK ~ 12.975 × 144 = 1868.4 ft-16f

BETTER ESTIMATES CAN BE MADE BY USING MORE POINTS

3.26 THE WORK OF PROCESS 1-2 MAY BE APPROXIMATED AS THE AREA UNDER THE FORCE-DISPLACEMENT DIAGRAM.

THE ESTIMATION MAY BE MADE BY SELECTING SMALL TRAPEZOIDS AND ADDING THE TOTAL. AS ONE APPROXIMATION, SELECT X AND F VALUES AS FOLLOWS:

χ (mm)	F(KN)	Sx	FSx
10	1.0	2.5	7.1875
12.5	4.75		12.0625
15	4.90		22.0
20	3.90 2.60		32.5
30 40	1,75	10.0	21,75
50	1.10	10.0	14.25
60	0.75	10.0	9,25

IF THE VALUES X-F ARE ENTERED IN THE PROGRAM AREA USING A PERSON-AL COMPUTER, THE AREA IS FOUND TO BE 10Z, IDENTICAL TO THAT OF THE SUM OF THE FSX TERMS INDICATED ABOVE. THEN

 $Wk \approx 117 \ kN \cdot mm = 0.117 \ kN \cdot m$ = 0.117 kJ

3.27 THE WORK INVOLVED IN THE PROCESS WHERE VOLUME CHANGED FROM V, TO V_2 AND PRESSURE ALSO CHANGED ACCORDING TO PIG. 3-15 CAN BE ESTIMATED AS THE AREA UNDER THE CURVE. AS ONE APPROXIMATION, USING THE POLLOWING DATA:

$V(in^3)$	P(psia)
5.0	20.0
7.5	38.0
10.0	44.0
15.0	48.0
20.0	55.0
25.0	77.5

THE AREA UNDER THE CURVE IS
THEN ESTIMATED AS A SUM OF
TRAPEZOID AREAS, AS IN THE
SOLUTIONS TO 3.25\$3.26 ABOVE.
USING THE PROGRAM AREA AND
A DERSONAL COMPUTER, OR BY
USING A= Z PSV, THE SOLUTION
15:

A = 993.75 in-16f OR = 82.8125 ft-16f

3.28 THE WORK DONE IN ROTATING A
TURNTABLE HAVING A VARYING
TORQUE WITH ANGULAR DISPLACEMONT MAY BY ESTIMATED AS
THE AREA UNDER THE CURVE;
i.e.

WK = ZTSO AND, AS A SUGGESTED SET OF DATA POINTS FROM FIG. 3-16:

7 (N·m) Θ (degrees)
35 Ο
58 120

64 165 62 195 53 240 40 300 37.5 330 37.5 360

USING TRAPEZOIDAL AREA SUMS OR COMPUTER PROGRAM AREA WITH A PERSONAL COMPUTER,

Wk ~ 17,880 N·m·degrees = 312.06.. N·m

3.29 THE WORK DONE IN ROTATING A

SYSTEM THROUGH 120° WITH A

VARYING TORQUE GIVEN IN FIG.

3-17 CAN BE APPROXIMATED BY

THE AREA UNDER THE CURVE,

USING WK = ZTSO AND THE

FOLLOWING SUGGESTED DATA:

T(f+-1b+) O(degrees) SO TSO

0 20 950

100 25 5 487.5

80
 50
 25
 2250

 75
 60
 10
 775

 70
 70
 10
 725

 74
 90
 20
 1940

 82
 120
 30
 2340

$$\Sigma TS\theta$$
 = 8967.5

THE RESULT IS OBTAINED BY THE METHOD OF SUM OF TRAPEZOID AREAS OR THE COMPUTER PRO-GRAM AREA WITH A PERSONAL COMPUTER:

3.30 USING CALCULUS

$$Wk = \int_{X_{2}}^{X_{2}} Fdx = \int_{b}^{X_{2}} \int_{x_{1}}^{x_{2}} (x_{2}^{3} - x_{1}^{3})$$

$$= \int_{x_{1}}^{x_{2}} (50 \frac{lbf}{ln^{2}}) (1in^{3} - 27in^{3})$$

$$Wk = -433.3...in.lbf$$

3.31 USING CALCULUS

Where
$$V_{i}$$

Where V_{i}

Where V_{i}

Where V_{i}

Where V_{i}
 V_{i

3.32 USING CALCULUS

$$Wk = \int pdV = \int 3V^{3}dV - \int 0.3VdV$$

$$= \frac{3bar/n^{9}}{4}(V_{2}^{4}-V_{1}^{4}) - \frac{0.3bar/m}{2}(V_{2}^{2}-V_{1}^{2})$$

$$= \frac{3}{4}(1.6^{4}-2.6^{4}) - \frac{0.3}{2}(1.6^{2}-2.6^{2})$$

$$Wk = -28.728 \ bar \cdot m^{3} = -2872.8 \ kJ$$

3.33 USING CALCULUS

THE INTEGRATION NEEDS TO BE SEPARATED INTO TWO INTERVALS:

$$T = 10\theta - 0.05\theta'(f)$$
 $G_{i} = 0$ REV.

To $\theta_{i} = 100$ REV.

$$T = 500 J$$
 $\theta_2^e 100 ReV.$

$$To \theta_3^2 200 REV.$$

GRAPHICALLY, WE DETERMINE THE AREA UNDER THE CURVE SHOWN:

$$= \frac{10}{2} \left(\frac{10}{2} \right) \left(\frac{0.05}{3} \right) \left(\frac{3}{3} - \frac{0}{3} \right) + 500 \left(\frac{9}{3} - \frac{9}{2} \right)$$

$$= \frac{10}{2} \left(\frac{100}{2} + \frac{0.05}{3} \right) \left(\frac{9}{3} - \frac{9}{3} \right) + 500 \left(\frac{9}{3} - \frac{9}{2} \right)$$

$$= \frac{10}{2} \left(\frac{100}{2} + \frac{9}{3} \right) \left(\frac{9}{3} - \frac{9}{3} \right) + 500 \left(\frac{9}{3} - \frac{9}{2} \right)$$

$$= \frac{10}{2} \left(\frac{100}{3} + \frac{9}{3} \right) \left(\frac{9}{3} - \frac{9}{3} \right) + 500 \left(\frac{9}{3} - \frac{9}{2} \right)$$

$$+ \left(\frac{500}{2} \right) \left(\frac{100}{2} + \frac{9}{3} \right) \left(\frac{9}{3} - \frac{9}{3} \right) + 500 \left(\frac{9}{3} - \frac{9}{3} \right)$$

$$= \frac{10}{2} \frac{1}{2} \left(\frac{100}{2} + \frac{9}{3} \right) \left(\frac{9}{3} - \frac{9}{3} \right) + 500 \left(\frac{9}{3} - \frac{9}{3} \right)$$

$$= \frac{10}{2} \frac{1}{2} \frac{100}{3} + \frac{100}{3} \frac{100}{3}$$

AND $F = G_{\mu} \frac{m_e m_z}{r^2}$ so THE 3.34 (CONT.) WE= $\int F dx = G_{\mu} m_e m_z \int \frac{dr}{r^2}$ = Gnmemz [-1]= Gumemz FROM CHAPTON 2: Gu=6.67 x 10" m3/kg.52 $W_{k} = \frac{(6.67 \times 10^{10})^{10} / (6.67 \times 10^{10})^{10} / (6.378 \times 10^{10})^{10} / (6.378 \times 10^{10})^{10}}{(6.378 \times 10^{10})^{10}}$ Wk= 6.2569 × 10 J FOR 1 kg 99.5% OF THIS WORK IS DONE FROM EARTH'S SURFACE TO SOME DISTANCE C. THIS WORK 6.2569×10 J×.995=6.2256×10 J

SUBSTITUTING VALUES FOR
$$G_{m}$$
, m_{e} , m_{z} , and Γ_{e} :

.1560046×10 = $\frac{1}{6.378 \times 10^{6} m}$ - $\frac{1}{76}$

BIVES

 $\Gamma_{o} = 1.2749 \times 10^{6} k_{m}$

NOW, SINCE $\Gamma_{z} = 6.378 \times 10^{6} m$

THE DISTANCE OUT FROM THE EARTH'S SURFACE IS

 $\Gamma_{o} - \Gamma_{e} = 1.2685 \times 10^{6} k_{m}$

THE PROBLEMS IN SECTION 3,2 WILL HELP THE STUDENT IN UNDERSTANDING HOW POWER IS THE RATE OF DOING WORK.

3.35 Wk (POWER) =
$$\frac{Wk}{45} = \frac{750 \text{ Jours}}{75}$$

= 107.1 W

3.36
$$Wk = \frac{Wk}{\Delta t} = \frac{80,000 \text{ fo-1/bf}}{2.3 \text{ s}}$$

= 34,782.6 $\frac{f_{1}-f_{1}}{s}$

USING THE CONVERSION 550 $\frac{f_{1}-f_{1}}{s}$ =1 hp

 $\frac{Wk}{s} = 63.24 \text{ hp}$

3.37 $Wk = Wk (\Delta t) = (380 \text{ W})(2 \times 3600 \text{ s})$

= 2,736,000 $J = 2,736 \text{ kJ}$

3.38 $Wk = Wk (\Delta t) = (125 \times 550 \frac{f_{1}-f_{1}}{s})(30 \times 60s)$

= 123,750,000 $f_{1}-f_{1}$

3.39 $Wk = F.V$ WHERE $V = 20 \text{ m/s}$
 $F = 628 \text{ N}$

THEN

THEN

$$Wk = 12,560 \frac{N \cdot m}{5} = 12,560 W$$

3.40 Wk = THRUST × VELOCITY
$$= (7,000,000 lb_f)(100 fc/s)$$

$$= 700,000,000 fr-lb_f = 1,272,727 lp$$

ASSUME ONE BOX IS ON THE CONVEYOR 3.41 AT ANY ONE TIME SO THAT THE POWER REQUIRED IS

WK = F = V WHERE V = 1.5m/s F=2N

THEN WE 3 N.m/s = 3W

3.42 THE POWER REQUIRED TO move 4016 4:15 fds HAY BALOS UP

A CONVEYOR

AT 1.5At/s is WK= F.V

4016f

WHERE

F = (40165) sin 30° = 20165 V= 1.5 fe/s

THUS,

WK= 20×1.5 = 30 fr-16+/ = 0.0545.. hp

3.43 FOR A ROTATING MACHINE WK= ZTT-N

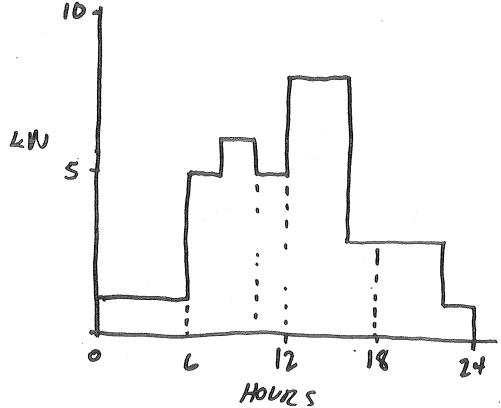
WHERE
$$N = 1200 \text{ rpm}$$
. THEN

 $T = \frac{60}{2\pi} \frac{\dot{W}k}{N} = \frac{60}{2\pi} \left(\frac{12}{1200 \text{ rpm}} \times 550 \frac{\text{tr-lbf}}{5 \cdot \text{hp}}\right)$
 $T = 2.188 \text{ fr-lbf}$
 $3.44 \quad \dot{W}k = \frac{2\pi}{60} T^{1}N \quad \text{WHERE}$
 $T = 70 \text{ N·m}, \quad N = 600 \text{ rpm}$

THEN

 $\dot{W}k = \frac{2\pi}{60} \left(70 \text{ N·m} \times 600 \text{ rpm}\right)$
 $= 4398.2 \text{ J} = 4.3982 \text{ kJ}$
 $3.45 \quad \dot{W}k = \frac{2\pi}{60} T^{1}N \quad \text{SO THAT}$
 $T \left(702000 \right) = \frac{60 \text{ Wk}}{2\pi N}$
 $T = \frac{60 \left(160 \text{ kJ/s}\right)}{2\pi \left(1800 \text{ rpm}\right)} = 0.849 \text{ kN·m}$
 $T = \frac{60 \text{ Wk}}{2\pi N} = \frac{60 \text{ So ThAT}}{3200 \text{ rpm}}$
 $T = 5.744 \text{ fr.lbf}$

3.47 THE DAILY ELECTRIC POWER IS:



THE TOTAL, DAILY ENERGY IS THE AREA UNDER THE GRAPH

USING RECTANGULAR AREAS:

$$E = (1 \text{ kw})(6 \text{ hr}) + (5 \text{ kw})(2 \text{ hr}) + (6 \text{ kw})(2 \text{ hr}) + (5)(2) + (8)(4) + (3 \text{ kw})(6 \text{ hr}) + (1)(2)$$

3-48
$$F = 15000 - 500V$$

 $Wk = FV = 15000V - 500V^2$

THE MAXIMUM POWER OCCURS WHEN) $\frac{d \dot{W} k}{d \dot{W}} = 0$

DIFFERENTIATING:

$$\frac{d\dot{w}k}{dV} = \frac{d}{dV} (15000V - 500V^2)$$
$$= 15000 - 1000V = 0$$

THEN

V= 15m/s AT MAXIMUM POWER. THE MAXIMUM POWER 15:

3-49 $T = 5,15 - 2 \times 10^{-4} N^2$

WK=TN=5.15N-2×104N3

THE MAXIMUM POWER OCCURS WHEN

DIFFERENTIATING:

$$\frac{d\dot{w}k}{dN} = \frac{d}{dN} \left(5.15N - 2 \times 10^{4} N^{3} \right)$$

$$= 5.15 - 6 \times 10^{4} N^{2}$$

N= 8583.3

THE MAXIMUM POWER IS:

THE PROBLEMS OF SECTION 3.3 ARE INTENDED TO GIVE A BETTEK UNDERSTANDING OF HEAT, HEAT TRANSFEK (OR RATE OF HEAT PEK UNIT TIME), AND HOW THESE TWO CONCEPTS ARE RELATED.

3.50 HEAT,
$$Q = \mathring{Q} \Delta t$$
 IF \mathring{Q} IS A CONSTANT RATE. THEN
$$Q = \left(80 \frac{B\tau v}{S}\right) \left(\Delta t\right) = 7000 B\tau u$$
So THAT
$$\Delta t \left(time\right) = \frac{7000 B\tau u}{80 B\tau u} = 87.5 s$$

3.5/ HEAT LOSS, Q = QDt IF Q is A CONSTANT RATE OF HEAT LOSS.
THEN

$$Q = (1.2 \frac{J}{S}) (24 hr \times 3600 \frac{S}{hr})$$

$$Q = 103,680 J = 103.68 kJ$$

3.52 HEAT TRANSFEK
$$\dot{Q} = \frac{\delta Q}{\delta t}$$
 AND IF \dot{Q}

15 CONSTANT $\dot{Q} = \frac{Q}{\Delta t}$. THEN

 $\Delta t = \frac{Q}{\dot{Q}} = \frac{20,000 \text{ BTU}}{670 \text{ BTU/s}} = 29.85 \text{ S}$

Q = QAT WHEN Q IS CONSTANT. THEN Q = (700 W/m2 X/m2 X/hr x 3600 5/h) = 2,520,000 J = 2,520 kJ 3-54 HEAT GAIN = 200,000 BTU x 12 hr = 2,400,000 Bru HEAT LOSS = 20,000 Bru x12h = 240,000 BTU NET HEAT GAIN = 2, 160,000 BTU AVERAGE HEAT GAIN RATE, QUAINI QEAIN = 2,160,000 BTU
24 HR. = 90,000 BTU

THE PROBLEMS IN SECTION 3.4 ARE INTENDED TO GIVE AN APPRECIATION OF IRREVERSIBLE WORK AND HOW TO CALCULATE IT.

3.55 THE TORQUE OF 1.6 Nom is DONE TO OVERCOME FRICTION AND IT REPRESENTS IRREVORSIBLE TORQUE. THE WORK IS

$$Wk = T\Theta = (1.6 \text{ N·m})(360^{\circ} \times \frac{2\pi}{360})$$
$$= 10.05 \text{ N·m} = 10.05 \text{ J}$$

3.56 IRREVERSIBLE POWER = $\frac{2\pi}{60}$ 71N $= \frac{2\pi}{60} (7in-oz)(800 rpm)$ = 586.43 in-oz/sSince 160z = 1/bf, we have $wk_{,rr} = \frac{586.43}{16} = 36.65 in-lbf/s$ = 3.054 fr-lbf/s = .00555 hp

3.58 IF SLIPPAGE REQUIRES 2% OF THE PROWER, THEN

SLIPPAGE ROWER =
$$(.02)(32 \text{ hp})$$
 $\text{Wk}_{SP} = 0.64 \text{ hp} = 352 \frac{\text{ft-lkf}}{\text{s}}$

AND

 $\text{Wk}_{SP} = (F_p)(\bar{V}) = 352 \frac{\text{ft-lkf}}{\text{s}}$

WHERE $\bar{V} = 55 \text{mph} = 80.7 \text{ ft/s}$
 $= 4.36 \text{ lbf}$

3.59 $\text{Wk}_{irr} = F.\bar{V} = (100 \text{ lbf})(4.4 \text{ ft/s})$
 $= 440 \text{ ft-lkf/s}$
 $= 0.8 \text{ hp}$

3.60 $\text{Wk}_{irr} = F.\bar{V} = (30 \text{ kN})(7 \text{ m/s})$
 $= 210 \text{ kJ/s} = 210 \text{ kW}$

3.61 $\text{Wk}_{irr} = F, \bar{V}$

WHERE

 $F_f = 0.3 F_N$
 $F_f = 0.3 F_N$

= 1.8165

F. = 616f

SO THAT
$$Wk_{irr} = (1.8 lb_f)(5 ft/s)$$

$$= 9 ft-16f/s$$

3.62 IRREVERSIBLE POWER DUE TO DYNAMIC FRICTION IS (10 LW)(-002) = 20 W THEN

$$\dot{W}k_{rr} = \frac{2\pi}{60} T_{rr} N = 20 W$$

SO THAT

$$71 = \left(\frac{20 \text{ N·m/s}}{1200 \text{ rpm}}\right) \left(\frac{60}{2\pi}\right)$$

3.63

Wkinput = Wkmotor = 150hp

50 Wkfon, rev 150hp x.85=127.5hp

3.64 THE BILLIARD BALL IS GIVEN KINETIC ENERGY AND THIS EVERGY IS DISSIPATED AS IRREVERSIBLE WORK AGAINST ROLLING RESISTANCE.

$$\frac{1}{2}m\vec{\nabla}^2 = F_f \cdot \chi$$
or
$$\frac{1}{2} \vec{q} \vec{\nabla}^2 = F_f \cdot \chi$$
THEN
$$\frac{1}{2} \left(\frac{4N}{9.81m}\right)^2 \left(0.4\frac{m}{s}\right)^2 = (F_f)(20m)$$
SOLVING FOR
ROLLING RESISTANCE, $F_f = 1.63mN$

PROBLEM 3.65 GIVES SOME PRACTICE IN CONVERTING ENERGY, WORK, POWER, AND HEAT UNITS.

Chapter 4 Discussion Questions

Section 4-1

- 4.1 Mass flow rate is the time rate at which mass flows past a stationary plane, or boundary of an open system.
- 4.2 Volume flow rate is the time rate at which a volume of fluid flows past a stationary plane or boundary of an open system.

Section 4-2

4.3 Steady flow means that the flow rate is constant in time.

3.64 THE BILLIARD BALL IS GIVEN KINETIC ENERGY AND THIS EVERGY IS DISSIPATED AS IRREVERSIBLE WORK AGAINST ROLLING RESISTANCE.

$$\frac{1}{2}m\overline{V}^{2} = F_{f} \cdot \chi$$
or
$$\frac{1}{2} \sqrt[4]{V} = F_{f} \cdot \chi$$
THEN
$$\frac{1}{2} (\frac{4N}{9.81m/s^{2}}) (0.4 \frac{m}{5})^{2} = (F_{f})(20m)$$
SOLVING FOR
ROLLING RESISTANCE, $F_{f} = 1.63mN$

PROBLEM 3.65 GIVES SOME PRACTICE IN CONVERTING ENERGY, WORK, POWER, AND HEAT UNITS.

3.65 (a.) 17
$$B\pi u/lb_m = 13,226 \text{ fo-lbf/lbm}$$

(b.) 3350 fe-lbf = 4.3. $B\pi u$
(c.) $2 \times 10^6 \text{ in-oz} = 13.389$. $B\pi u$
(d.) 27.8 kJ = 27,800 N·m (J)
(e.) 3000 MW = $3 \times 10^9 \text{ J/s}$

Chapter 4 Discussion Questions

Section 4-1

- 4.1 Mass flow rate is the time rate at which mass flows past a stationary plane, or boundary of an open system.
- 4.2 Volume flow rate is the time rate at which a volume of fluid flows past a stationary plane or boundary of an open system..

Section 4-2

4.3 Steady flow means that the flow rate is constant in time.

Section 4-3

- 4.4 Uniform flow means that the properties of a flowing fluid are same throughout, including in the system from which or to which they are flowing.
- 4.5 The *filling process* is a process where fluid only flows into a system.
- 4.6 The *emptying process* is a process where fluid only flows out of a system.

Section 4-4

4.7 By convention, in engineering and technology work obtained from a system is described as positive work. Thus, work into a system needs to be negative.

Section 4-5

4.8 The first law of thermodynamics is usually considered to be the conservation of energy. Sometimes the law is interpreted to mean that energy is a property of a system.

Section 4-6

- 4.9 An *isolated system* is a system that cannot loss or gain either mass or energy.
- 4.10 Adiabatic means no heat or heat transfer can occur.

Section 4-7

- 4.11 Flow energy is the energy used to account for fluid flow across a system boundary. It can be calculated by the product of pressure times volume or for specific flow energy, by the product of pressure times specific volume.
- 4.12 Enthalpy is internal energy plus flow energy, or U + pV.

Section 4-8

- 4.13 An *open system* is one that allows for mass and energy to cross the boundary.
- 4.14 Shaft work is work transmitted through a rotating shaft, often a boundary of an open system.
- 4.15 Open system work is closed system work minus the difference in flow work between out flow and in flow.

CHAPTER 4

THE PROBLEMS FROM SECTIONS 4. IAND 4.2

ARE INTENDED TO HELP UNDERSTAND THE

CONSERVATION OF MASS APPLIED TO STRADY

FLOW SYSTEMS AND TO BE ABLE TO FIND

MASS FLOW RATES

4.2
$$\dot{m} = \rho A \bar{V}$$
 AND FOR A ROUND TUBE $A = \pi d^2/4$ SO THAT

$$\dot{m} = \rho \pi d^2 V/4$$
.

THEN
$$d = \sqrt{\frac{4 \, \dot{m}}{\pi \, \rho \, V}} = \sqrt{\frac{4 \, (1 \, k_S/s)}{\pi \, (793 \, \frac{k_B}{m^3})(5 \, m/s)}}$$

WHERE

4.3 (a.) ASSUME STEADY FLOW. THE MASS
FLOW OF AIR AT A 15

$$\dot{m}_A = \rho_A A_A V_A = (0.48 \frac{kg}{m^3})(0.1m^2)(240m/s)$$

= 11.52 kg/s

(6.) AT B
$$m_B = m_A$$
 By STEADY FLOW

AND $V_B = \frac{m_B}{\rho_B A_B} = \frac{11.52 \text{ kg/s}}{(1.12 \text{ kg/m}^3)(.05 \text{m}^2)}$
 $V_B = 205.7 \text{ m/s}$

4.4 THE SPECIFIC KINETIC ENERGY IS 2 V ke THEN, USING MASS FLOW RATE, M= PAV, V= m/Ap = V/A = 4V/nd2 V = VOLUME FLOW RATE = in/p. THUS $\sqrt{=\frac{(1.0 \text{ m/min})(4)(100006 \text{ m/m}^2)}{TT (4 \text{ cm})^2 (60 \text{ s/min})}}$ = 13.26 m/s AND ke = \frac{1}{5}(13.26 m/s)^2 = 87.95 J/kg FOR PIPE A: m=pAV OR V=AV USING FOR V = 6m/s AND FOR A = TT da 4 WE HAVE $1.5 \frac{m^3}{min} = \pi \frac{d_A^2}{dl} (6 m/s)$ OR $d_A = \sqrt{\frac{4 \times 1.5 \text{m}/\text{min}}{77 \times 6 \text{m}/\text{x} \times 60 \text{s}/\text{min}}} = .073 \text{ m}$

FOR PIPE B:

$$V = AV = \pi \frac{dB}{4}V = 2.5 m^3/min$$

THEN $d_B = \sqrt{\frac{4 \times 2.5 m^3/min}{\pi \times 6 m/s \times 605/min}} = .094 m$

FOR PIPE C: ASSUME WATER IS IN-COMPRESSIBLE SO THAT THE DEWSITY IS THE SAME. THEN WE CAN WRITE $\mathring{V}_{A} + \mathring{V}_{R} = \mathring{V}_{A} = 1.5 \frac{m}{m} + 2.5 \frac{m}{min} = 4 \frac{m^{3}}{min}$ AND $\pi \stackrel{d}{=} V = 4 \frac{m^3}{min}$ 30 THAT de = \(\frac{4 \times 4 \times \frac{1}{17 \times 60 \times \frac{1}{17 \ 4.6 ASSUME STEADY FLOW PAANA = PEAEVE VA = PBABVB = PBVB SINCE AB/A=1 (OR AB=AA). THEN V = (0.64 kg/m³)(30m/s) = 16m/s FOR THE PIPE m=pAV=pTdV=40,000 kg/hr d= 14x40,000 kg/hr Tx 1000 kg x 24m x 3600 s/hr d = .024m. SELECT d = 2.5cm

mi = mo + ACCUMULATION RATE. 4.8 THE ACCUMULATION MUST BE THE AMOUNT OF WATER NEEDED TO FILL THE TANK: ACCUMULATION = (.3m)(.6m)(.6m)p $= \rho(.108 \, \text{m}^3)$ ASSUME p = 1000 kg/m3 SO THAT ACCUMULATION = 108 kg. THE ACCUMULATION RATE IS, ACCUM. RATE = 108kg = 54 kg = 0.9 kg SINCE mo= 1.0 kg/s, THE INLET FLOW mi= 1.0 5 + 0.9 kg= 1.9 kg/s 4.9 ACCUMULATION RATE = MIN-MOUT = 13 kg + 9 kg + 20 kg/min - 23 kg =-0.667 kg (LOSS IN MASS) m=pAV. THUS $\bar{V} = \frac{\dot{m}}{\rho A} = \frac{4\dot{m}}{\rho \pi d^2} = \frac{4 \times 600 \, lbm \, lmin}{(62.4 \, lbm) \, (\pi)(0.5 \, fr)}$

V = 48,97 ft/min

(b.)
$$V_{B} = \frac{m_{B}}{\rho_{B}A_{B}} = \frac{4m_{B}}{\rho_{T}M_{B}} = \frac{4(4)(60\frac{16m}{3})(44in_{f_{1}^{2}})}{\rho_{B}A_{B}} = \frac{4m_{B}}{\rho_{T}M_{B}} = \frac{(4)(60\frac{16m}{3})(44in_{f_{1}^{2}})}{(54.9\frac{16m}{f_{1}^{2}})(4in_{f_{1}^{2}})}$$

WHERE $\rho = 54.9\frac{16m}{f_{1}^{2}}$ From Table 2-1

Then

 $V_{B} = 50.1 f_{1}/c$

(c.)
$$V_c = \frac{\dot{m}_c}{\rho A_c} = \frac{4 \dot{m}_c}{\rho \pi d_c^2} = \frac{(4 \times 60)(144)}{(54.9)(\pi)(25)}$$

 $V_c = 8.015 f_c/s$

(a.)
$$\dot{m}_{A} = \dot{m}_{B} = \dot{m}_{C} = \rho A \vec{V} = \dot{m}$$

AT STATION A, $\vec{V}_{A} = 400 \, fe/s$ 80
 $\dot{m} = (0.045 \, lb_{m}) \left(\pi \, \frac{d_{A}}{4}\right) (400 \, fe/s)$
 $= (0.045 \, \left(\pi \, l_{4}\right) \left(5 \, in\right) (400) / 144 \, in_{fr}^{2}$
 $\dot{m} = 24 \, l \, l$

(b.)
$$V_B = \frac{m_B}{\rho_B A_B} = \frac{4m_B}{\rho_B \pi d_B^2}$$

(C.)
$$V_c = \frac{4m_c}{\rho \pi d_c^2} = \frac{4 \times 2.45 \text{ lbm/s} \times 144 \text{ in}^2/f_r^2}{0.050 \text{ lbn} \times 17 \times 25 \text{ in}^2}$$

= 360 fr/s

4.13 ASSUME STEADY FLOW CONDITIONS

THEN in mat = malf = 2 16m/min

THEN 1.04 ma = 2 lbm/min

AND $\dot{m}_{a} = \frac{2 \, lbm/m \, in}{1.04} = 1.923 \, \frac{lbm}{min}$

ALSO mg = .0769 16m/min

4.14 ASSUME STEADY FLOW CONDITIONS. THEN, SINCE THE TUBES HAVE A UNIFORM AREA,

P, V, = R V2 AND V2= V, P, /P2

WHERE DE = TIME REQUIRED TO
FILL BALLOON

ALSO

ACCUMULATION = BALLOON VOLUME X

AIR DENSITY.

THEN

$$\Delta t = \frac{.0417 \, lbm}{0.01 \, lbm/s} = \frac{4.17 \, s}{}$$

4.18 ASSUME AIR IS INCOMPRESSIBLE, THEN

VIN = RATE OF INCREASE IN CYLINDER VOLUME

$$\dot{V}_{N} = \dot{V}_{A} = \dot{V}_{A} A_{A} = \ddot{V}_{A} \left(1 \, i n^{2}\right)$$

THE RATE OF INCREASE IN CYLINDOR VOLUME IS $VA_B = (100 fr/s) N \frac{(3in)^2}{4}$

THEN

$$\nabla_{A} = \frac{(100 \, \text{ft/s}) \, \pi}{\sqrt{\frac{3 \, \text{in}}{4}^2}} = 706.8 \, \frac{\text{ft}}{\text{S}}$$

THE PROBLEMS FROM SECTION 4.3 GIVE FURTHER PRACTICE IN CONSERVATION OF MASS APPLIED TO UNIFORM FLOW SUCH AS IN FILLING AND EMPTYING OF SYSTEMS.

4.19 $\dot{m}_{in} = \dot{m}_{sysrem}$ ASSUME \dot{m}_{in} IS CONSTANT AND

THEN $\dot{m}_{in} = \frac{P_{oil} V_{mark}}{\Delta t} = \frac{(920 \frac{kg}{m^3})(5m^3)}{45 min}$ $= 102.2... \frac{kg}{min}$ 4.20 $m = \dot{m}_{in} \Delta t = (500 \frac{lbm}{s})(30s)$ $= 15,000 \frac{lbm}{s}$

4.21 SINCE MASS FLOW RATE VARIES WITH TIME FROM START-UP,

M= ZMSt WHERE St IS A SMALL AMOUNT OF TIME CHANGE. WE MAY VISUALIZE M AS THE AREA UNDER THE CURVE OF FIG. 4-25. FOR AN APPROXIMATE SOLU-TION, SEZECT THE FOLLOWING DATA FROM FIG 4-26:

in (16m/s)	<u>t(s)</u>
0	
26.0	0.5
48.0	1.0
66.2	1.5
77.0	2.0
82.5	2.5
82.5	3.0

THEN, USING SUM OF TRAPEZOID

AREAS OR THE COMPUTER PROGRAM

AREA WITH A PERSONAL COMPUTER,

THE RESULT OF SinSt 15

4.22 M= MDT SINCE in is CONSTANT IN TIME. THEN

$$m = (25 \frac{kg}{5})(20min \times 60 \frac{s}{min})$$

= 30,000 kg

4.23 MASS OF MILK DRAINED = Z'MST SINCE M VARIES WITH TIME. THIS CAN BE VISUALIZED AS THE AREA UNDER THE CURVE OF FIG. 4-7. AS AN EXAMPLE, USING THE FOLLOWING DATA FROM FIG 4-7:

m (kg/min)	t (min)
30.5	25,0
25.0	27.5
19.5	30.0
12.5	32.5
8.0	35.0
5.0	37.5
3.0	40,0
2.0	42.5
1.5	45.0

THEN, USING A SUM OF TRAPEZOID
AREAS OR THE COMPUTER PROGRAM
AREA WITH A PERSONAL COMPUTER,
THE RESULT 15

4.24 FOR STEADY STATE:

min = mout

SINCE THE SPECIFIC GRAVITIES ARE GIVEN (S.G.) WE MAY WRITE THE

$$\dot{m}_{in} = 3 \, kg/s$$

$$\dot{m}_{out} = 80 \, kg/m_{in}$$

$$water$$

$$= \frac{80}{60} \, kg/s = 1.33... \, 4/s$$

$$\dot{m}_{out}$$

4.25 THERE FOLE:

(ONT.)
$$\dot{m}_{IN} - \dot{m}_{OUT} = 1.667 \, kg/s$$

= RATE OF ACCUMULATION

= $\frac{\delta m_{SYSTEM}}{\delta t}$

a.) TANK IS FILLING

b.) NOW

$$\frac{\delta m_{SYSTEM}}{\delta t} = 1.667 \, kg/s$$

SINCE TANK BEGINS AS 1/3 FULL

THE MASS REQUIRED TO FILL

TANK IS:

$$\Delta m_{SYSTEM} = Volume \times WATER DENSITY$$

= $V \times \rho_{H_2O}$

= $\frac{2}{3} (TANK VOLUME) (\rho_{H_2O})$

= $\frac{2}{3} (2m \times 2m \times 1.5m) (\rho_{H_2O})$

 $= \frac{2}{3} (6m^3) (998 \frac{1}{9} \frac{1}{m^3})$

 $\Delta m_{system} = 3992 \, kg$ AND THE TIME REQUIRED TO

FILL THE TANK, ASSUMING

THE RATE OF ACCUMULATION 15

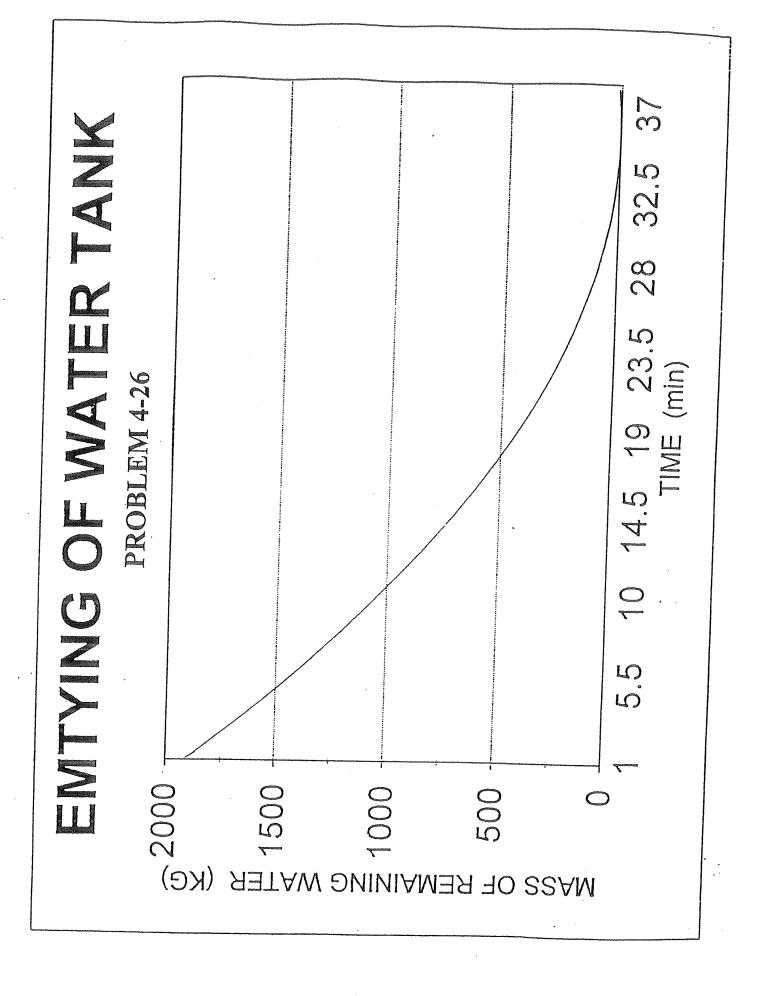
CONSTANT, AT 1.667 kg/s, 13 $St = \Delta t = \frac{\Delta m_{sys.}}{(\delta m/St)} = \frac{3992 \, kg}{1.667 \, kg/s}$ $\Delta t = 2395 \, s = 39.9 \, m_{i} N$.

4.26 From Example 4.10, THE TIME IS $t = 47.6 \left(\sqrt{m_{\text{syst}}} - \sqrt{m} \right)$ OR $\sqrt{m} = \sqrt{m_{\text{sys,t}}} - \frac{t}{47.6}$ SINCE $m_{\text{sys,t}} = 2.000 \text{ kg}$ WE HAVE $\sqrt{m} = \sqrt{2.000} - \frac{t}{47.6}$

or m=2000-1.879t+4.4/×10⁻⁴t²

THIS GIVES THAT M=0 (TANK EMPTY) t= 2128s (35.4 min). THE PLOT IS SHOWN IN THE FIGURE.

.4.27 20-gal TANK FULL OF ETHYL GLYCOL p= 70 /bm/f3. MFULL = 20gal x. 1337 fr /gal x 70 /bm/fr3 = 187.18 1bm $\dot{m}_{out} = 0.5 \, \dot{m}_{sys} = -\frac{dm}{dr} sys$ FOR mys= 187.18 16m AT t=0 AND Mays = 137.18 16m AT t, $0.5 \int dt = -\int \frac{dm_{sys}}{m_{sys}} = -l_n \frac{137.18}{187.18}$



$$0.5t = -l_n \frac{137.18}{187.18}$$

50

ALSO

$$t = 0.62 \, min$$

$$0.5t = -\ln \frac{m}{187.18}$$

FOR ANY TIME t. THIS CAN BE WRITTEN

$$e^{-0.5t} = \frac{m}{187.18}$$

or
$$m = 187,18e^{-0.5t}$$

4.28 WE HAVE FOR THIS SYSTEM THAT m = 0./m3/4

> WHERE M IS THE MASS OF THE SYSTEM. ALSO

$$-\dot{m}_{out} = \frac{dm}{dt} = -0./m^{3/4}$$

SEPARATING VARIABLES GIVES:

$$m^{-3/4}dm = -0.1dt$$

THEN, INTERGRATING FROM

$$m_i = 300 \, kg$$
 AT $t = 0$
 $m_f = 150 \, kg$ AT t

GIVES THAT

 $4(m_f^{'4} - m_i^{'4}) = -0.1t$

OR

 $4(150^{'4} - 300^{'4}) = -0.1t$
 $t = 26.486 \dots 5$

THE PROBLEMS FROM SECTIONS 4.4
AND 4.5 PROVIDE PRACTICE IN THE
USE OF CONSERVATION OF ENERGY
TO CLOSED SYSTEMS.

4.29
$$Q-Wk=\Delta E$$
 SO THAT

$$Wk = Q-\Delta E$$

$$= 40kJ - (30kJ) = +10kJ$$
OUTPUT WORK

$$\Delta U = -(-200 \, \text{N·m}) = 200 \, \text{J}$$

$$\Delta u = q - wk_{cs} = 62.5 \, \frac{kJ}{Lg} - 60 \, \frac{kJ}{Lg}$$

$$= 2.5 \, \frac{kJ}{Lg} \quad \text{SO THAT}$$

$$\Delta U = m \, \lambda v = (2.1 \, \sqrt{3} - kJ) = 1.1$$

4.32
$$m = 0.01 \text{ kg}$$
, $Q = -10kJ$, $Wk_{cs} = 20kJ$

$$\Delta U = Q - Wk_{cs} = -10kJ - 20kJ$$
$$= -30kJ.$$

THEN

$$\Delta u = \frac{\Delta U}{m} = \frac{-30kJ}{0.01kg} = -3000 \frac{kJ}{kg}$$

THEN
$$\dot{U} = \dot{Q} - \dot{W}k_{cs} = 150 \, kJ/s$$
.

ALSO
$$\dot{u} = \frac{\dot{U}}{m} = \frac{150 \, kJ/s}{100 \, kg} = 1.5 \, kJ/kg.s$$

$$= 1.5 \, kW$$

$$= 1.5 \, kW$$

4.34
$$Wk_{cs} = Q - \Delta U = -20B\pi u - (-20B\pi u)$$

$$Wk_{cs} = 0$$

.

4.35
$$g = \Delta u + wk_{cs} = 0.75 \frac{BTU}{lbm} + 778 \frac{fr-lbs}{lbm}$$

= 0.75 $\frac{BTU}{lbm} + \frac{778}{778} \frac{BTU}{lbm} = 1.75 \frac{BTU}{lbm}$

4.36 FOR
$$Q=0$$
OUTPUT = $Wk = -\Delta U = -(-16.88 \text{Bru})$
 $Wk = 16.8 \text{BTU}.$

4.37
$$\Delta u = q - wk_{cs} = 8 \frac{BTY}{lbm} - \frac{6224 ft - lbr}{lbm}$$

= $8 \frac{BTY}{lbm} - \frac{6224 BTY}{778 lbm} = 0 \frac{BTU}{lbm}$

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So
$$0 = u + wk_{cs} = -14.1hp + 10hp$$

= -4.1hp (coowng)

4.39 $\Delta E = Q - Wk$ AND Q = -10 BTU. $Wk = 100 W - hr = 100 \times 3.414 BTU$ $USING CONVERSION 3414 BTU/h_F = 1kW$ FROM TABLE B.22. THIS IS $3.414 BTU/h_F = 1W OR$ $3.414 BTU/h_F = 1W - hr$. THEN

THE PROBLEMS OF SECTION 4.5 ARE INTENDED
TO GIVE PRACTICE IN APPLYING THE FIRST
LAW OF THERMODYNAMICS TO CLOSED SYSTEMS
INVOLVING REVERSIBLE AND IRREVERSIBLE

= -351.4 BTU

4.40 (a.) SINCE Q=0, Wks=-DU

OR Wks=-24 kJ (INPUT)

PROCESSES

(b.) HERE THE WORK IS ALL IRREVERS
IBLE, WK, = -24kJ

WK = 0

Term tember to sill or sic

s it speed on very him to take

(c.)
$$Q = 0$$

(d.) $wk_{cs} = wk_{irr} = \frac{wk_{irr}}{m} = \frac{-24kJ}{3kg}$
 $= -8 kJ/kg$
 $q = 0$

4.41
$$\Delta U = Q - Wk = -1kJ - (-20kJ)$$

= 19 kJ

4.42 FOR THE CONSTANT PRESSURE PROCESS

$$Wk = p\Delta V = \left(75\frac{16f}{1n^2}\right)\left(2fr^3\right)\left(144\frac{in^2}{fr^2}\right)$$

$$= 21,600 \text{ ft-16f}$$

4.43 FOR THE HEAT ENGINE UNDER STERMY
STATE U = O SO THAT

$$\hat{Q} = \hat{W}k = 100,000 W = 100 kW$$

PROBLEMS OF SECTION 4.6 ARE INTENDED TO SHOW APPLICATIONS OF CONSERVATION OF ENERGY TO ISOLATED SYSTEMS.

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$$-(1kg)(9.8 \, \text{m/s}^2)(1m) - (1kg)(9.8 \, \text{m/s}^2)(2m)$$

$$= -29.4 \, \text{J} . \quad \text{THOW}$$

$$\Delta E = \Delta U + \Delta KE + \Delta PE = 0$$

$$AND \quad \Delta U = -\Delta KE - \Delta PE$$

$$= -(-20 \, \text{J})(2) - (-29.4 \, \text{J})$$

$$= 69.4 \, \text{J}$$

4.45 (a.) THE SAME, 3000 BTH AND 3016m

(b.) THE SAME, 3000 BTH AND 3016m

NO CHANGES AS LONG AS THE

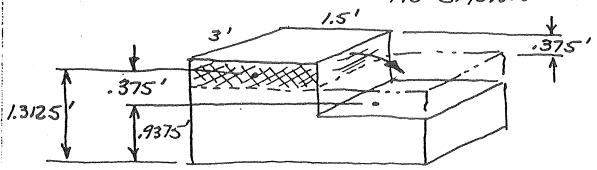
SYSTEM IS ISOLATED.

4.46 ASSUME POTENTIAL ENERGY CAN BE CONVERTED TO INTERNAL ENERGY.
THON

DU = - DPE = - mg DE/gc

THE GRAINS OF SAND MAY SOEK A

LOWER ELEVATION AS SHOWN:



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Description of the State of the

THUS, THE GRAINS OF SAND THAT WILL.

MOVE LOWER HAVE A MASS,

$$m = (38 \frac{16m}{f_{13}})^{0.375} f_{1}(3 f_{1})(1.5 f_{1})$$
 $= 64.125 \frac{16m}{f_{13}}$

THE HEIGHT CHANGE, ΔZ , $15-375-f_{1}$

SO, ASSUMING $g = 32.17 \frac{f_{1}}{f_{1}} f_{2}^{2}$
 $\Delta U = -(64.125 \frac{16m}{32.17}) \frac{f_{1}}{f_{2}} f_{2}^{2}$
 $= 24.04... \frac{f_{1}}{f_{1}} \frac{16f_{1}}{f_{2}}$

PROBLEMS FROM SECTION 4.7 ARE INTENDED TO, SHOW HOW TO DETERMINE FLOW WORK AND ENTHALPY.

4.47 FLOW WORK (OR FLOW ENERGY) =
$$\rho v$$

$$= \left(\frac{1000 \, \frac{kN}{m^2}}{6.232 \, \frac{m^3}{kg}}\right)$$

$$= 232 \frac{kJ}{kg}$$

4.48 ASSUME WATER DENSITY IS 62.5 lbm/f_{3}^{3} AND $g = 32.17 fr/s^{2}$. THEN

FLOW WORK = $pv = (60 lbf) (144 in^{2}) (14f^{3}) (62.5 lbm)$

4.49 THE CHANGE IN FLOW WORK PER UNIT TIME IS GIVEN BY

$$p_{2}v_{2}\dot{m} - p_{1}v_{1}\dot{m} = p_{2}\frac{\dot{m}}{p_{2}} - p_{1}\frac{\dot{m}}{p_{1}}$$

$$= (14.8 \frac{16f}{in^{2}})(144 \frac{in^{2}}{f_{2}^{2}})(\frac{0.116m}{4216m}f_{1}^{2})$$

$$- (14.0 \frac{16f}{in^{2}})(144 \frac{in^{2}}{f_{2}^{2}})(\frac{0.116m}{4216m}f_{1}^{2})$$

$$= 0.274... fr-16f_{5}$$

4.50 (a.) pV = pvm. From Problem 4.47 THE FLOW WORK pv 15 232kJ/kg SO THAT

$$pv\dot{m} = (232^{kJ})(20\frac{kg}{s})$$

= $4640kJ/s = 4640kW$

(b.)
$$pV = pVA$$
 WHERE $V = 30 f_{s}$

$$A = \pi \frac{d^{2}}{4} = \pi \left(\frac{2}{12}f_{t}\right)^{2}/4 = .0218 f_{t}^{2}$$
AND THEN
$$pVA = (60 \frac{16f}{in^{2}})^{144} \frac{in^{2}}{f_{t}^{2}} \sqrt{30 \frac{f_{t}}{s}} (.0218 f_{t}^{2})$$

4.55
$$pv = (200 \frac{165}{in^2})(144 \frac{in^2}{f_{\pi^2}})(\frac{15r^3}{0.116m})$$

$$= 288,000 \frac{16r}{f_{\pi^2}} \frac{15r^3}{16m} = 370.2 \frac{8ra}{16m}$$

$$h = u + pv = 1370.2 \frac{8ru}{16m}$$

$$H = mh = \frac{1370.2 \frac{8ru}{f_{\pi^2}}}{10m} \frac{144 \frac{in^2}{f_{\pi^2}}}{16m} (0.7 \frac{fr^3}{16m})$$

$$= 11,289.6 \frac{f_{\pi^2}16r}{16m} = 14.51 \frac{8ru}{16m}$$

$$h = u + pv = \frac{137.44}{15m} \frac{8ru}{16m}$$

$$H = mh = \frac{1374.4}{15m} \frac{8ru}{16m}$$

PROBLEMS FROM SECTION 4.8 ADDRESS
APPLICATIONS OF THE FIRST LAW OF
THERMODYNAMICS TO STEADY STATE OPEN
SYSTEMS.

$$-wk_{os} = h_{z} - h, \quad oR \quad wk_{os} = h_{z} - h_{z}$$

$$wk_{os} = 160 - 170 \quad \frac{kJ}{kg} = -10 \frac{kJ}{kg} \quad (IMPUT)$$

(b.) APPROXIMATELY

$$Wk_0s \approx -V_{ave} \Delta p = V_{ave}(p_1 - p_2)$$
 $-10 \frac{kJ}{kg} \approx (V_{ave}) \frac{1Lp_a - 1200 kp_a}{kg}$
 $P_{ave} \approx .00834 \frac{m^3}{kg}$
 $P_{ave} \approx .119.9 \frac{kg}{m} \frac{3}{m}$

4.58 FOR STEADY FLOW OF THE NOZZLE
$$h_A + \frac{\overline{V_A}^2}{Z} = h_B + \frac{\overline{V_B}^2}{Z} \quad AND THEN$$

$$h_B = h_A + \frac{\overline{V_A}^2 - \overline{V_B}^2}{Z}$$

AND FOR INCOMPRESSIBLE FLUIDS

$$P_{A} = P_{B}$$
 SO THAT

 $A_{A} \overrightarrow{V}_{A} = A_{B} \overrightarrow{V}_{B}$ OR $\overrightarrow{V}_{B} = A_{A} \overrightarrow{V}_{A}$
 $\overrightarrow{V}_{B} = (3)(\overrightarrow{V}_{A}) = 45 \text{ m/s}$

THEN,

$$h_{8} = 3278 \frac{kJ}{kg} + \frac{(15m/s)^{2} - (45m/s)^{2}}{2}$$

$$= 3278 \frac{kJ}{kg} - 900 \frac{m^{2}}{5^{2}} = 3278 \frac{kJ}{kg} - 0.9 \frac{kJ}{kg}$$

$$= 3277.1 \frac{kJ}{kg}$$

4.59 FOR STEADY STATE

$$in(h_{exh} - h_{fh}) = Q - Wk$$

THEN

 $h_{exh} = h_{fh} + \frac{Q}{in} - \frac{Wk}{in}$
 $= 2600 \frac{kJ}{kg} + \frac{-40 \frac{kJ}{min}}{0.73 \frac{kJ}{min}} \frac{(20hp)(.746 \frac{kW}{np})(60 \frac{s}{min})}{0.73 \frac{kJ}{kg}}$
 $= 2545.2 \frac{kJ}{kg} - 1226.3 \frac{kJ}{kg}$
 $= 1318.9 \frac{kJ}{kg}$

4.60 FOR STEADY FLOW, STEADY STATE

$$h_z - h_i = g - wk$$

 $h_z = h_i + g - wk$
 $h_z = 1530 \frac{BTU}{lbm} + (-8 \frac{BTU}{lbm}) - 290 \frac{BTU}{lbm}$
 $h_z = 1232 \frac{BTU/lbm}{lbm}$

wk

4.61 ASSUME NO HEAT LOSSES

OR GAINS. THEN, FOR

STEADY STATE

$$in(h_2-h_1)=-Wk$$

(3000 $\frac{16m}{min}$)(230 $\frac{BTU}{16m}-118$ $\frac{BTU}{16m}$) = 336,000 $\frac{BTU}{min}$
 $Wk=-336,000$ $\frac{BTU}{min}=-5600$ $\frac{BTU}{5}=-7896$ hp

4.62 THE FAN GIVES AIR KINETIC ENERGY. FOR STEMOY

STATE AND NO HEAT

TRANSFER

-WK =
$$\frac{1}{m} \frac{V_2^2 - V_1^2}{2gc}$$

NEGLECT V_1 , THEN

 $\frac{1}{4}hp = \frac{1}{m} \frac{V_2^2}{2gc} = \frac{40 \frac{16m}{min}}{16m} \frac{V_2^2}{2 \times 32.17 \frac{f-16m}{16g.52}}$
 $\frac{1}{4}hp \times 33000 \frac{fr}{hpmin} = 0.6217 \frac{V_2^2}{2}$
 $\therefore V_2 = \sqrt{13270 + \frac{1}{10m}} = 1.92 \frac{fc}{min}$

= 1.92 $\frac{fc}{min}$

4.63 FOR THE HEAT EXCHANGER, OPERATING
AT STEADY STATE AND NEGLECTING
KINETIC AND PUTENTIAL ENERGY CHANGES:

4.63
$$\dot{m}_{A}(h_{1}-h_{2})=$$
 $\dot{m}_{B}(h_{4}-h_{3})+\dot{Q}_{uoss}$
 ∂R_{uoss}
 ∂